Workshop on R and movement ecology:

Hong Kong University, Jan 2018



Eric Dougherty, Dana Seidel, Wayne Getz



Lecture 4 Space-time considerations





 δ

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 - utilization distributions (UDs)
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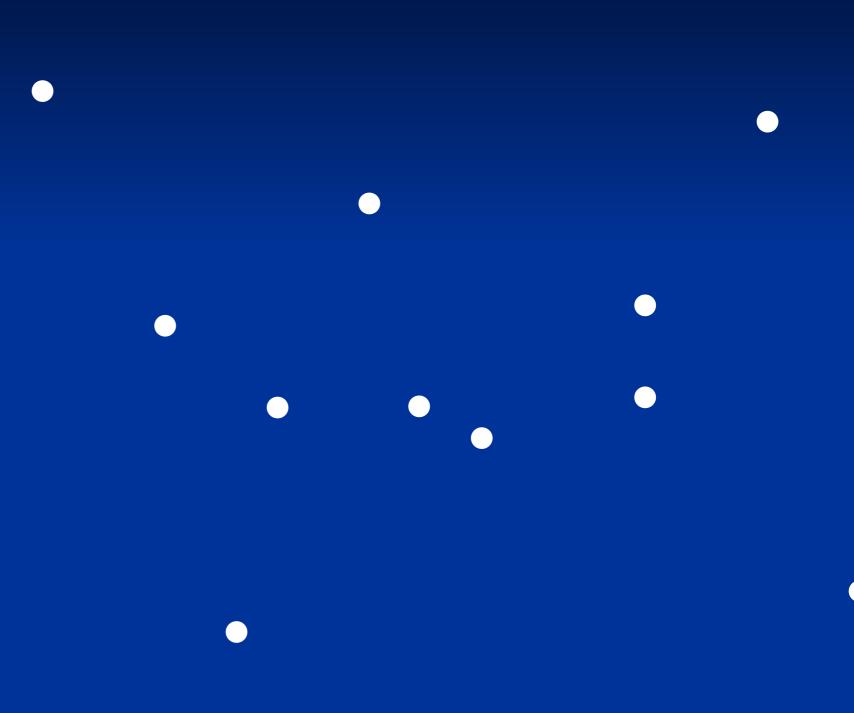
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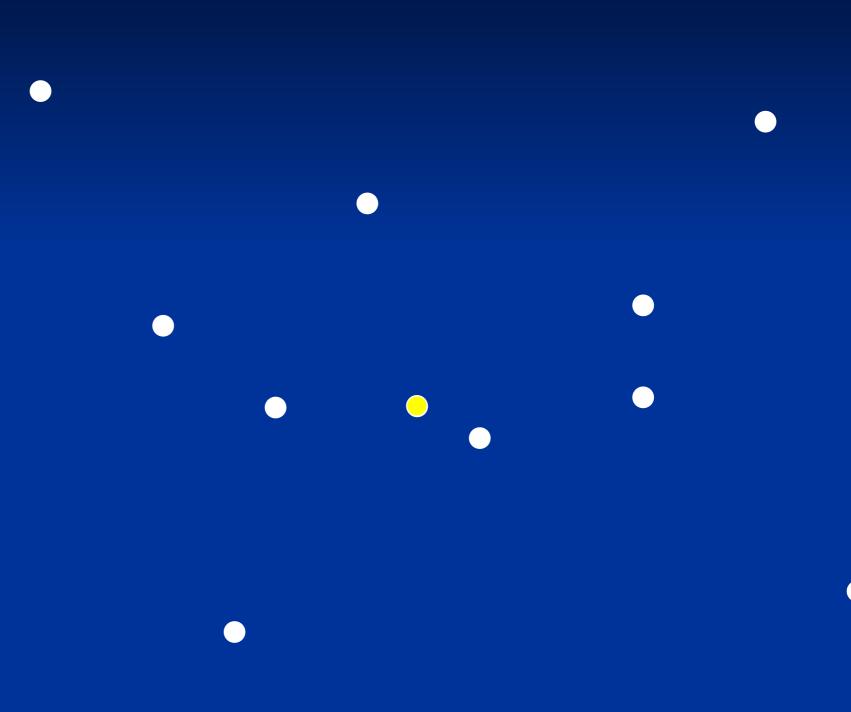
Local Convex Hull (LoCoH) HR and UD construction

Using slides from a presentation by Andy Lyons

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- 2. For each point, calculate distances to nearby points
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 - k-method
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 - a-method
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- 8. Visualize & analyze

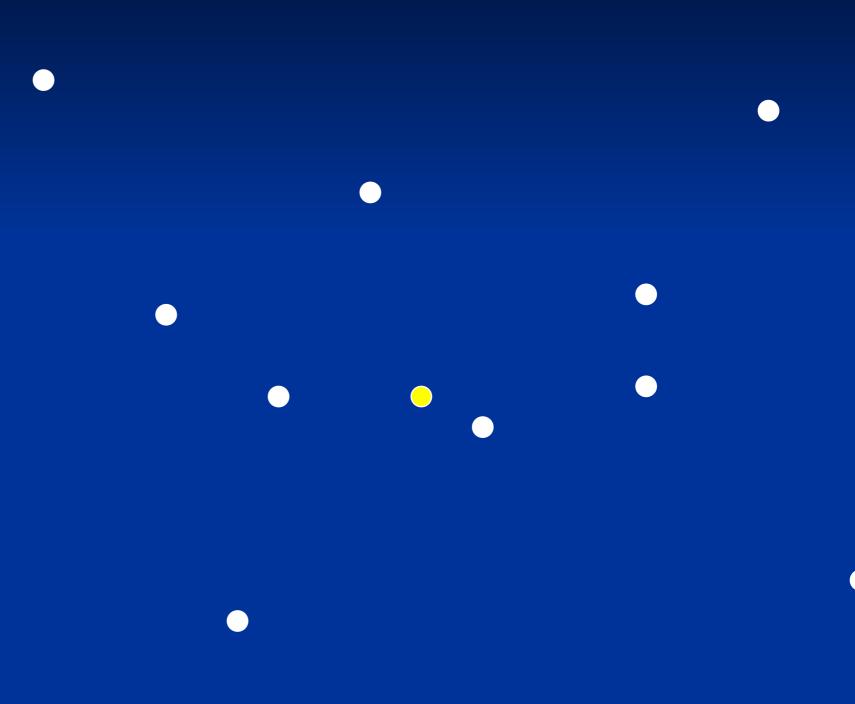


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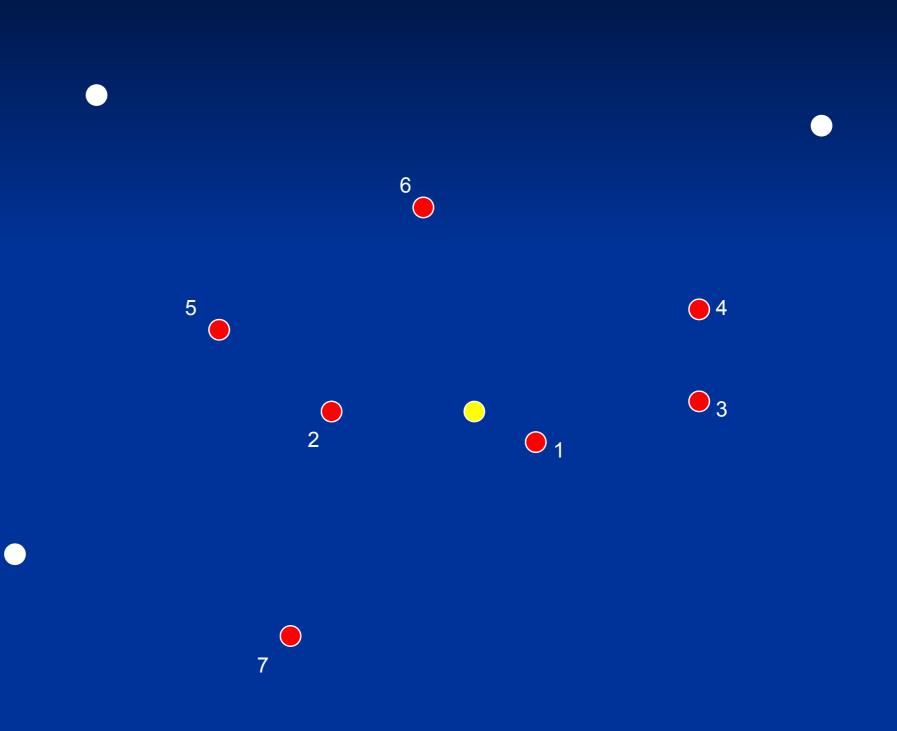


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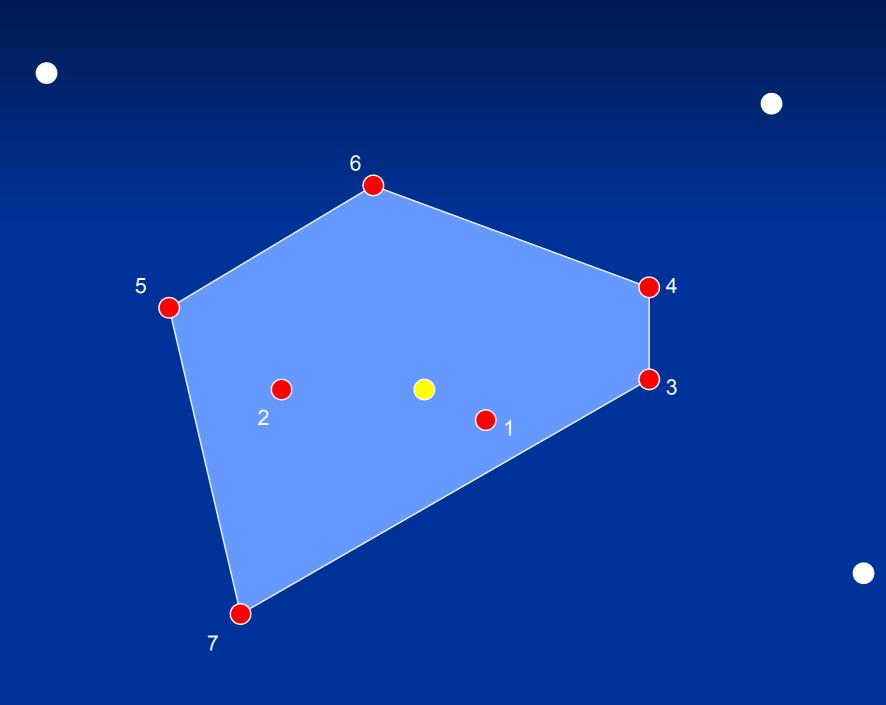
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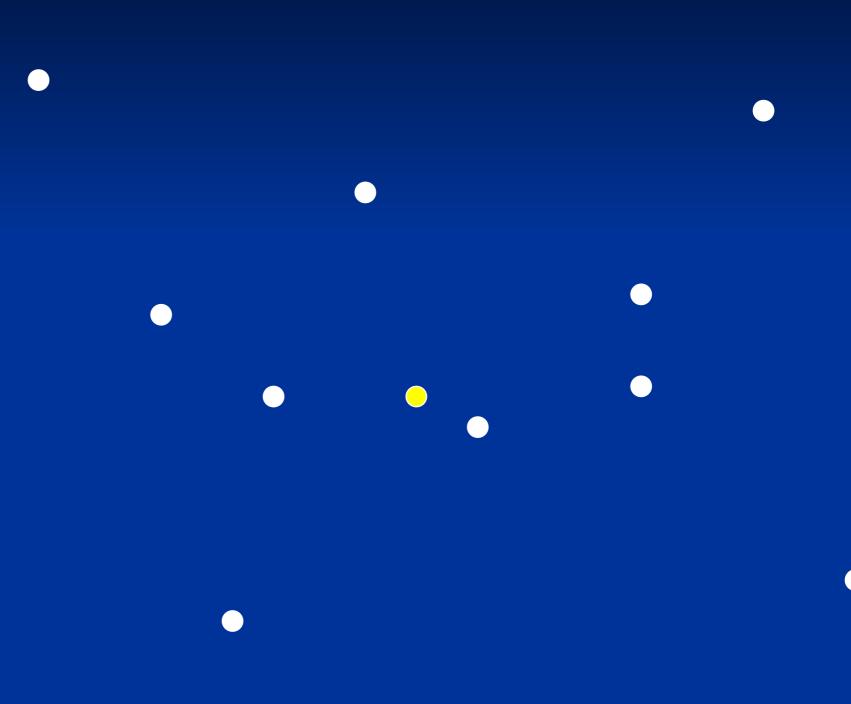
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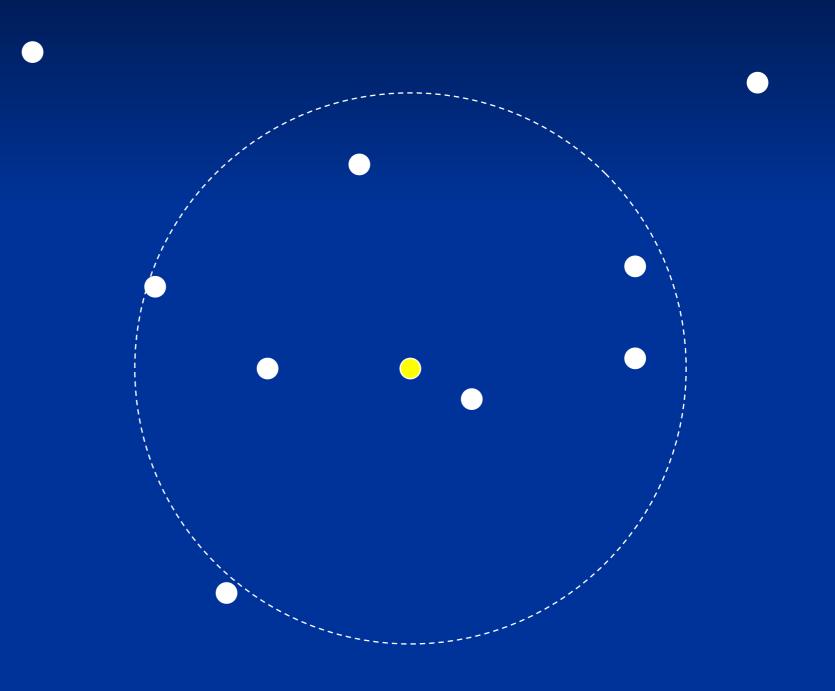
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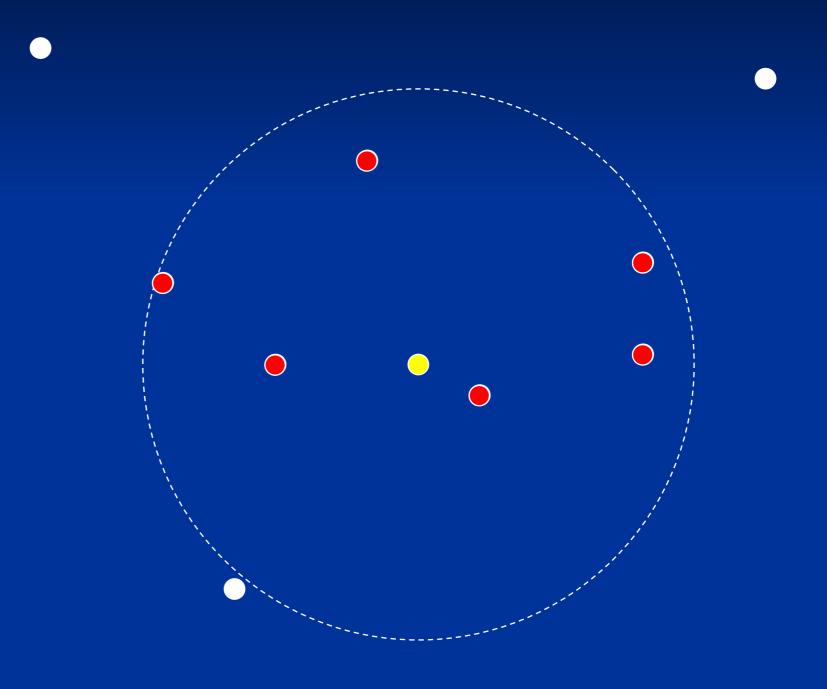
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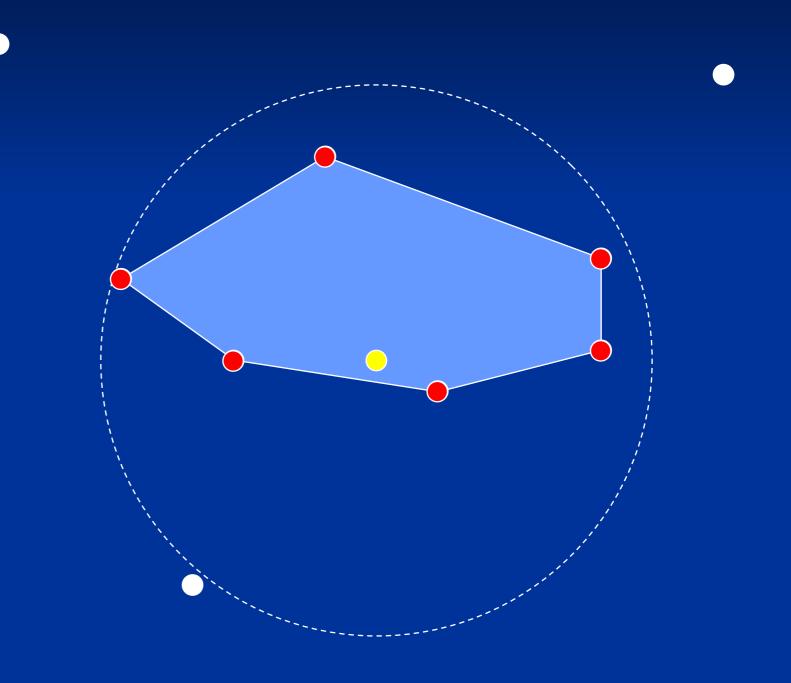
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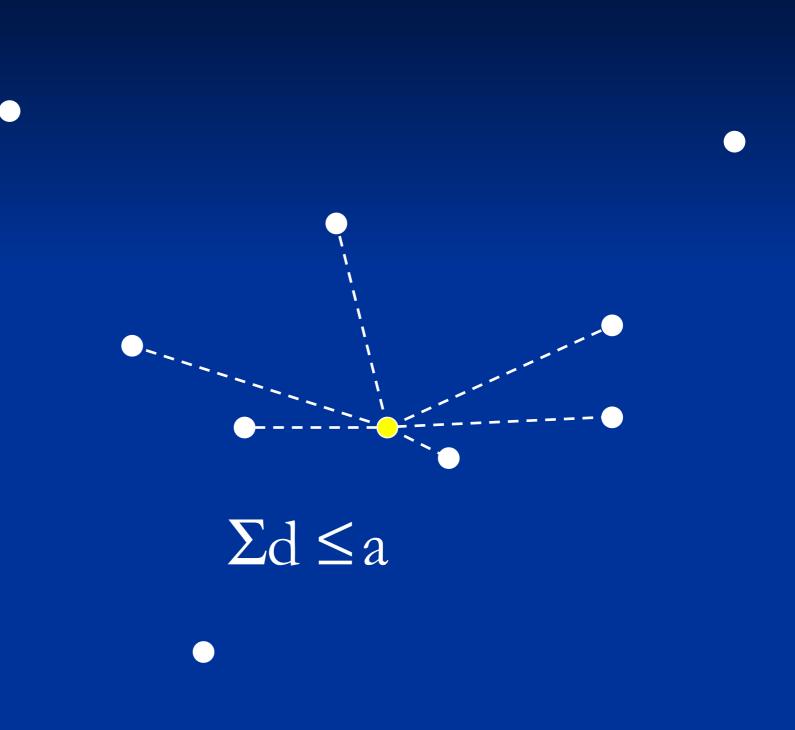
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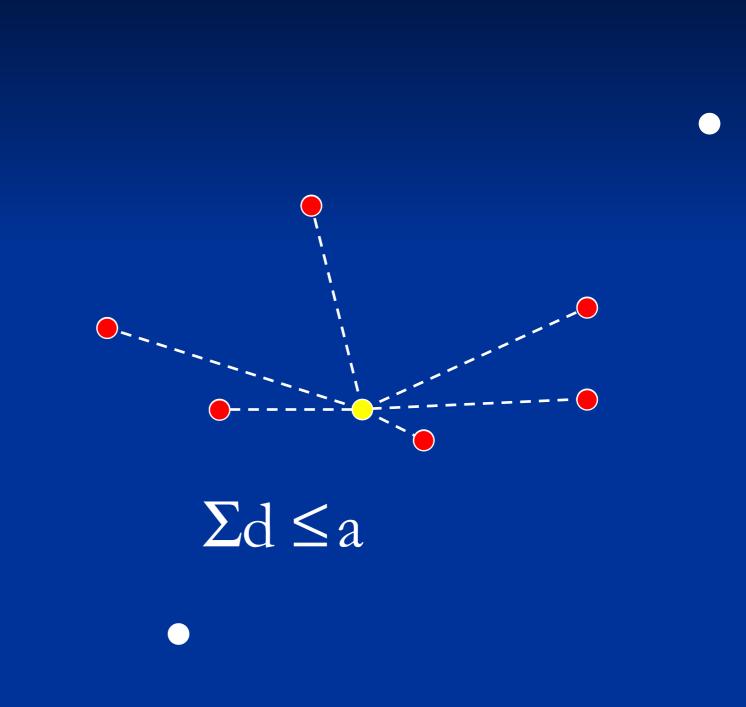
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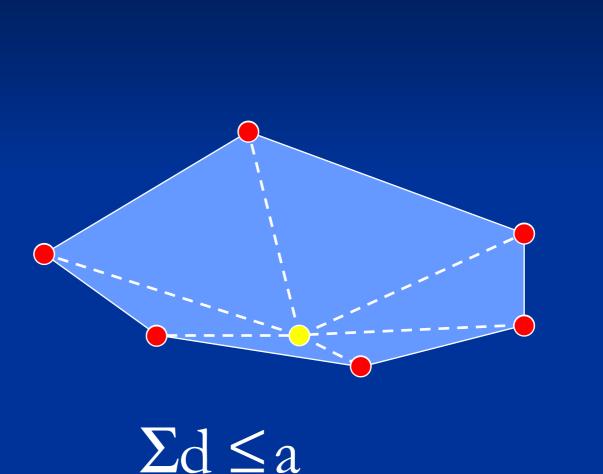
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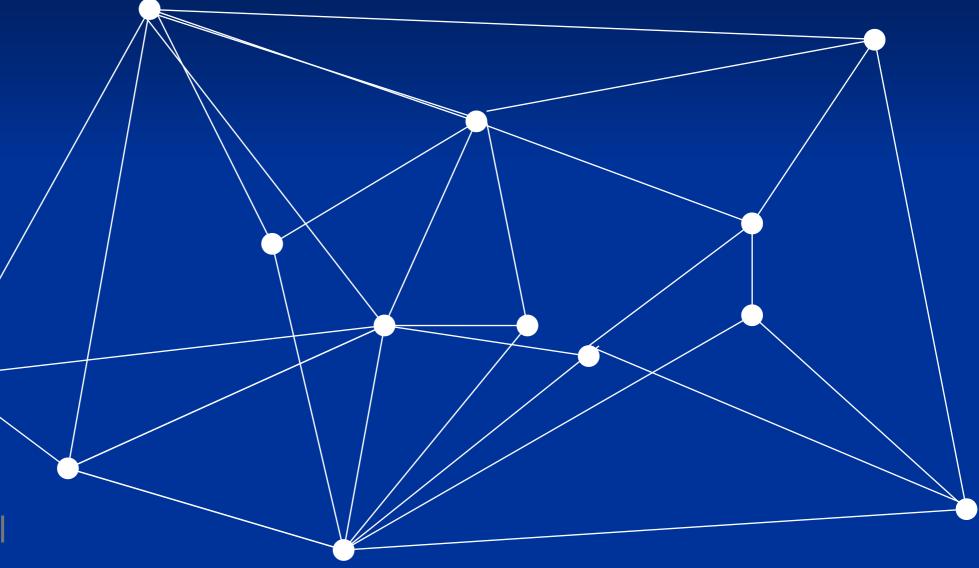
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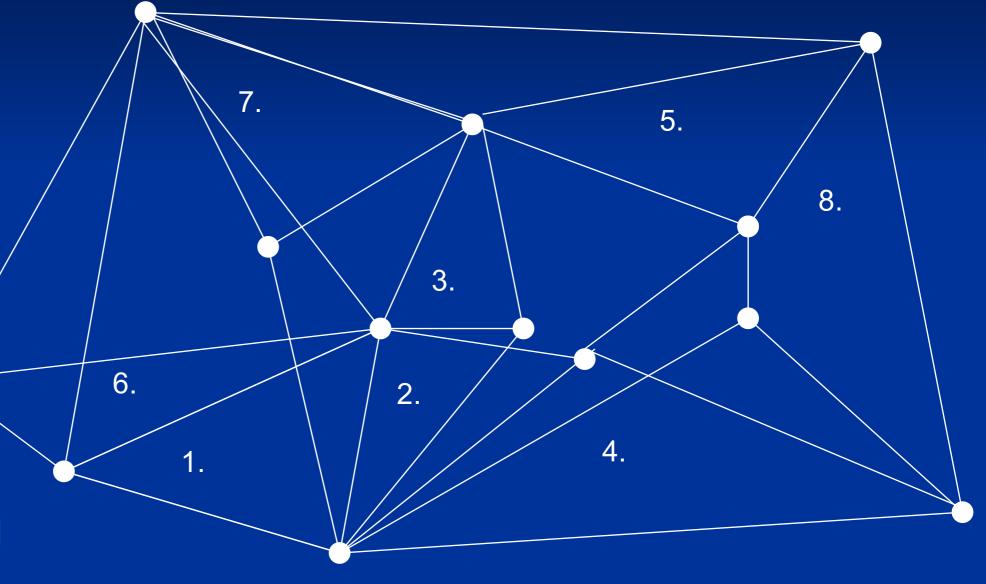
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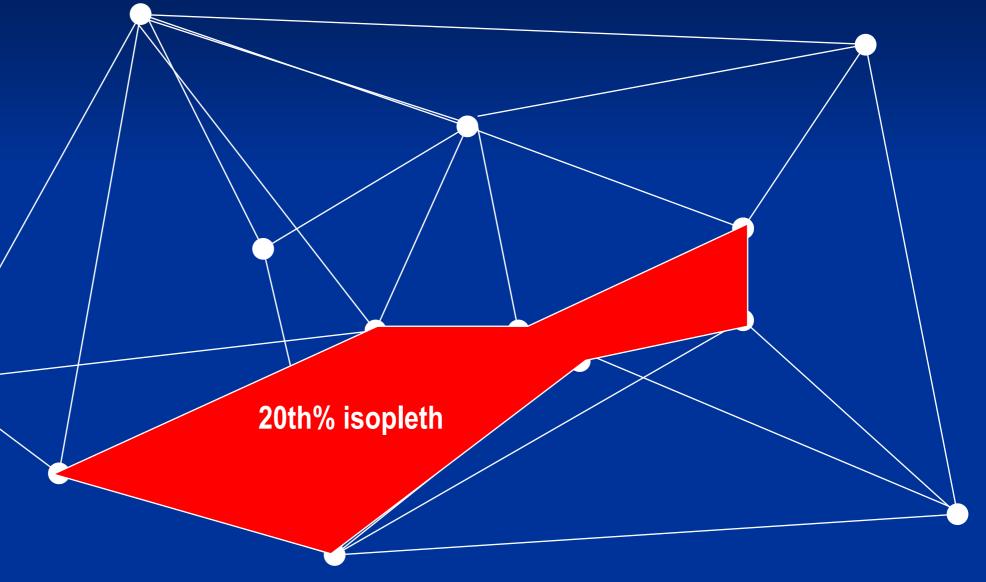
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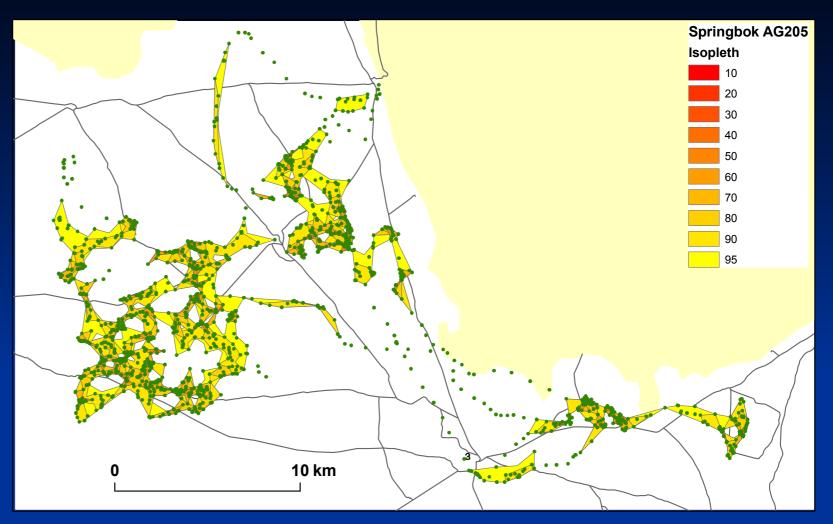
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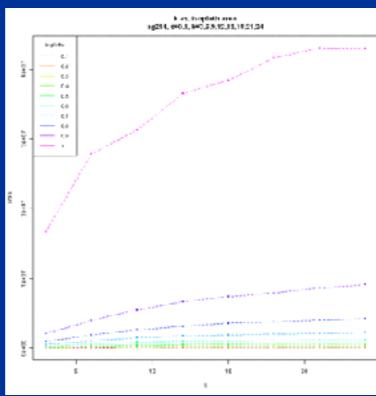


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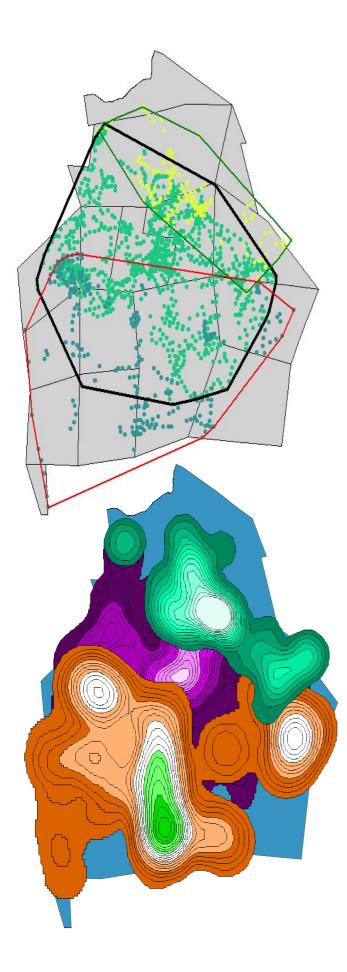


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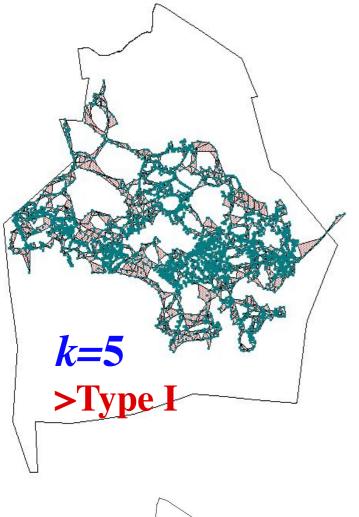


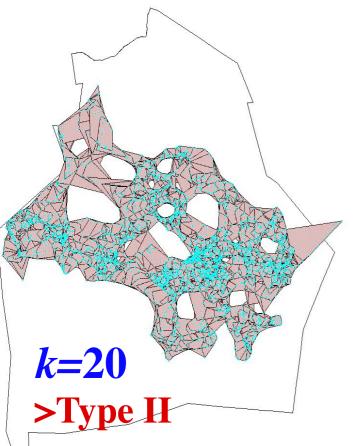




African Buffalo in Klaserie Private Nature Park: data from 3 herds over a season MCP (maximum convex polygon construction) simple overestimates home range ignores densities (no isopleths)

Kernel Methods produces isopleths smooths irregularities ad-hoc boundaries (95 percentile) how to choose smoother parameter h



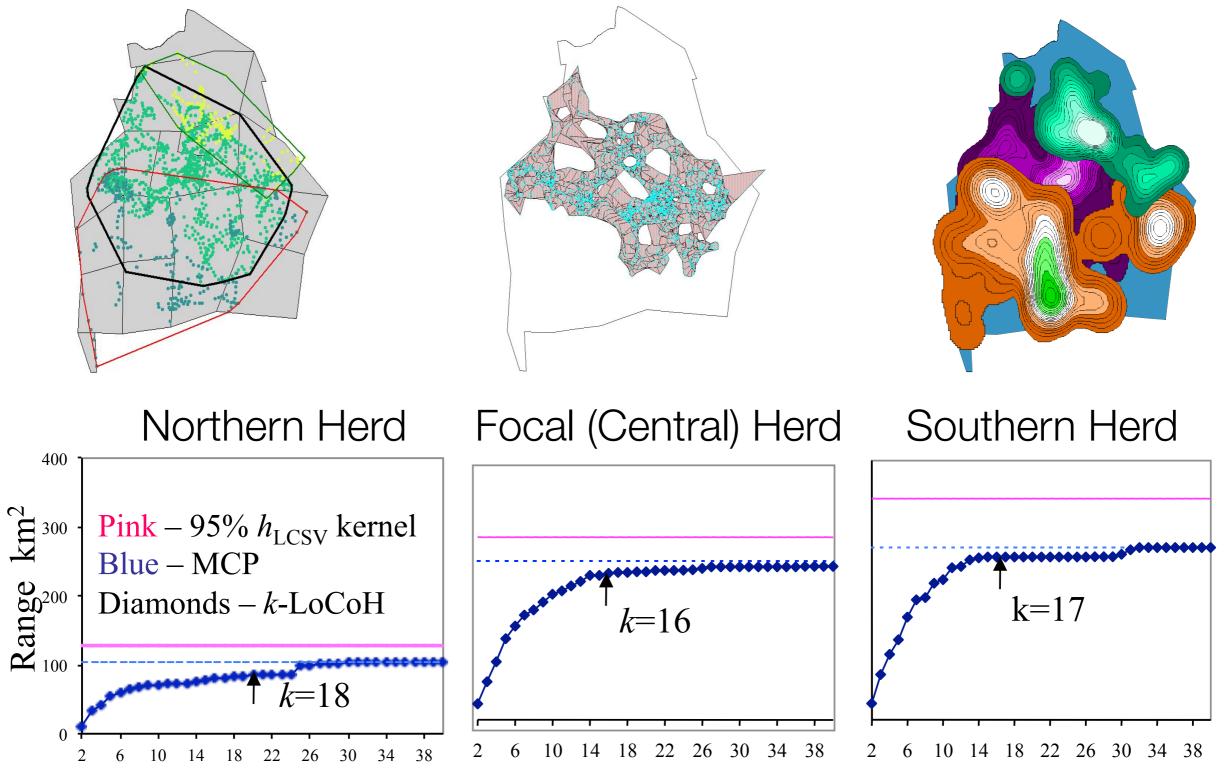


LoCoH Methods

- Local convex hulls: k-1 nearest neighbors of each point
- Take union for home range
- Take progressive unions from smallest to largest k-LoCoH to obtain isopleths

relatively simple follows irregular data and boundaries How to choose k? Type I vs II error trade

Minimum Covering of Spurious Holes

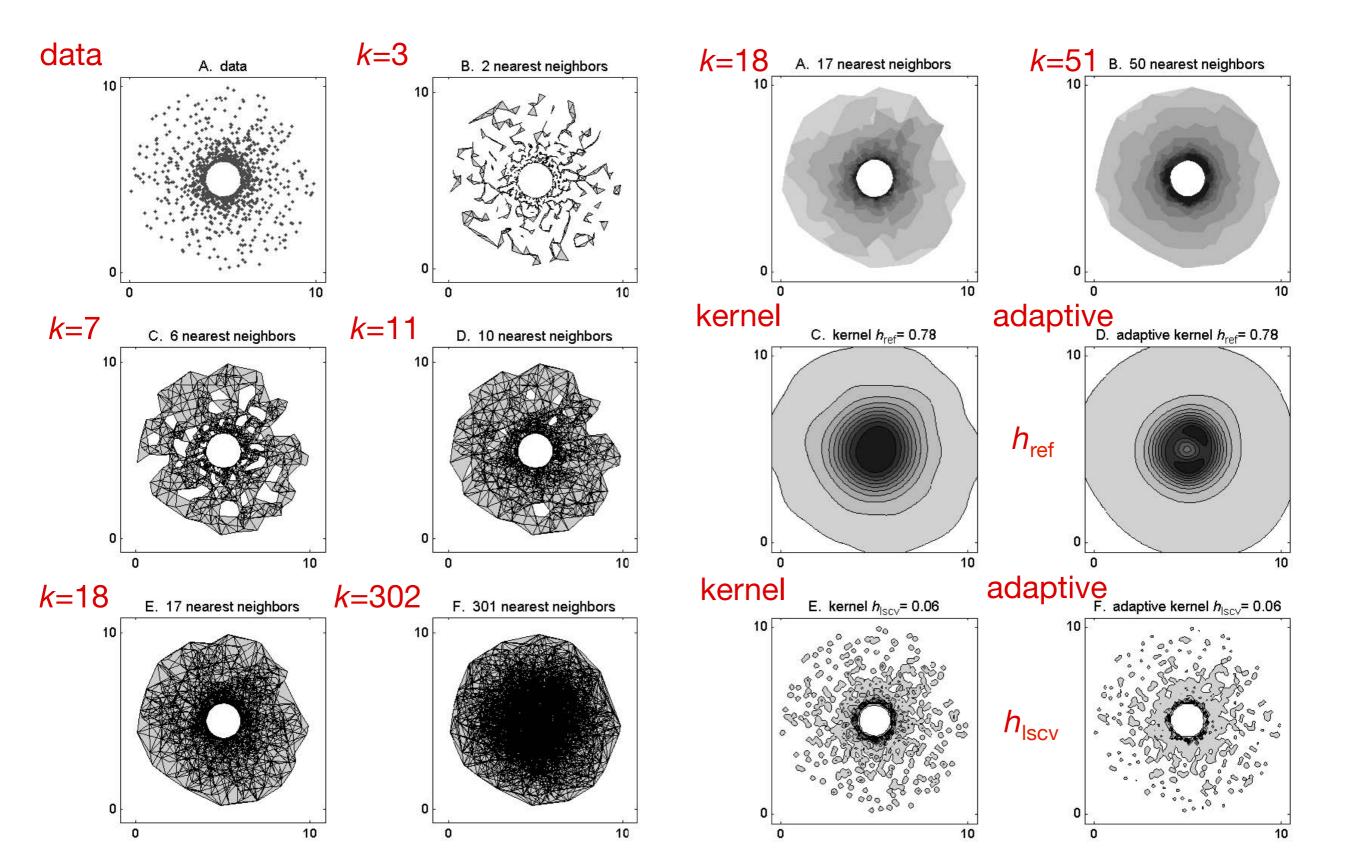


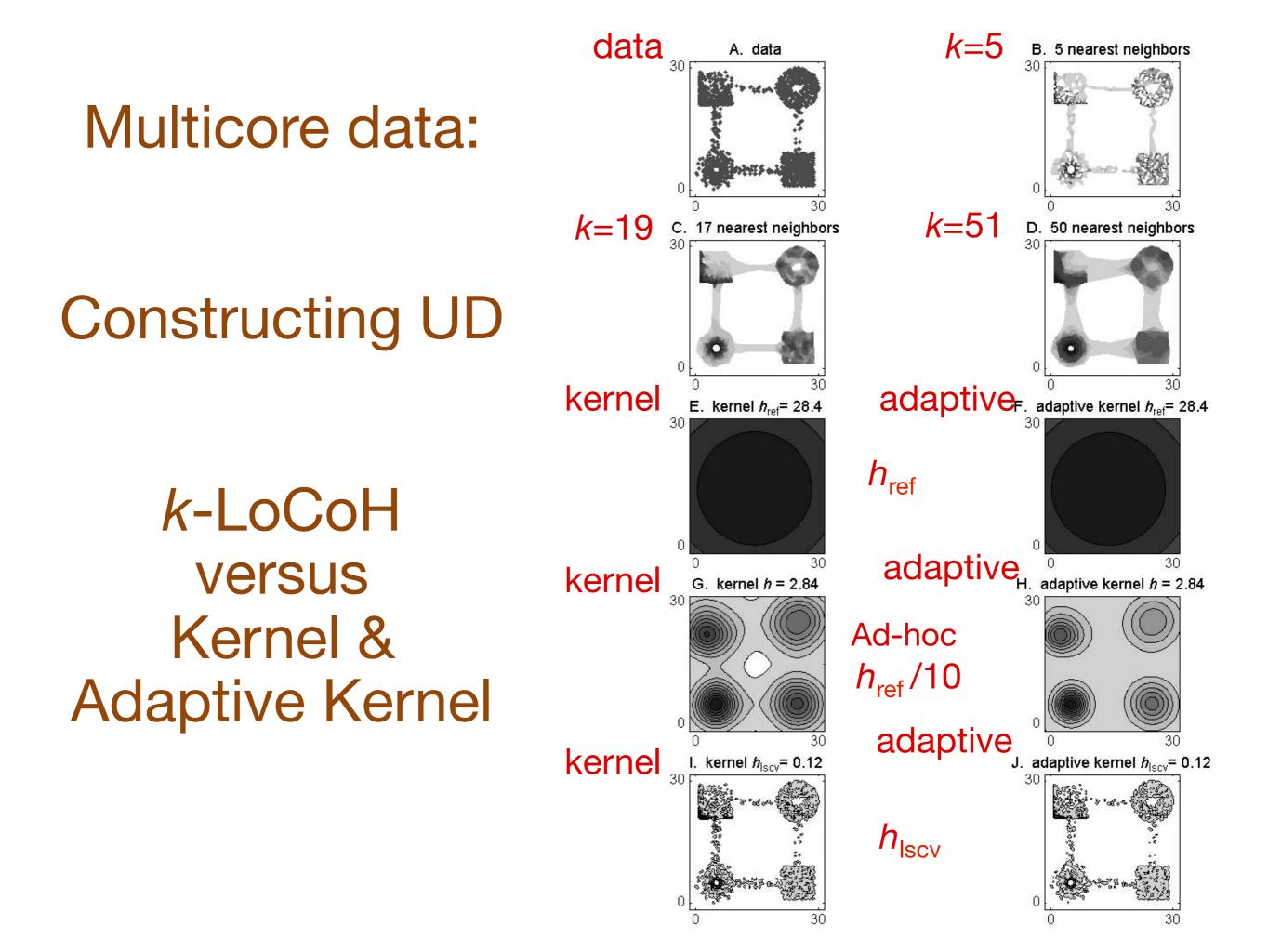
Number of Neighbors in k-LoCoH

Testing our method on simulated data:

aggregations on boundaries
holes in the data
multicore data

Donut data: constructing UD k-LoCoH versus Kernel & Adaptive Kernel





Analysis of Yellowstone wolf data



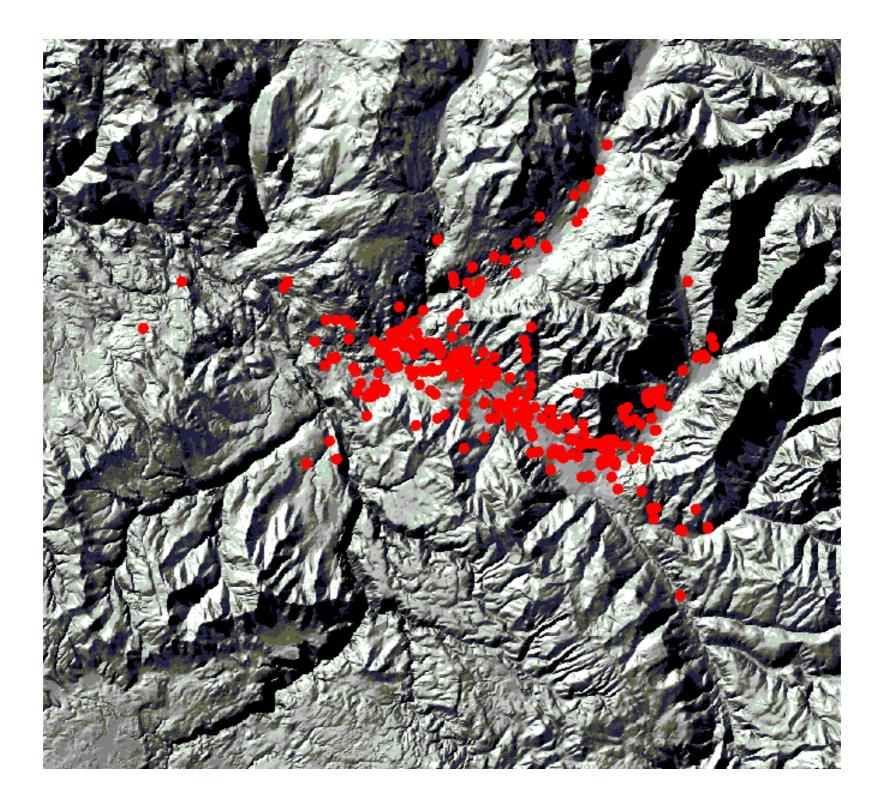
Elk primary prey

Study area – Yellowstone NP



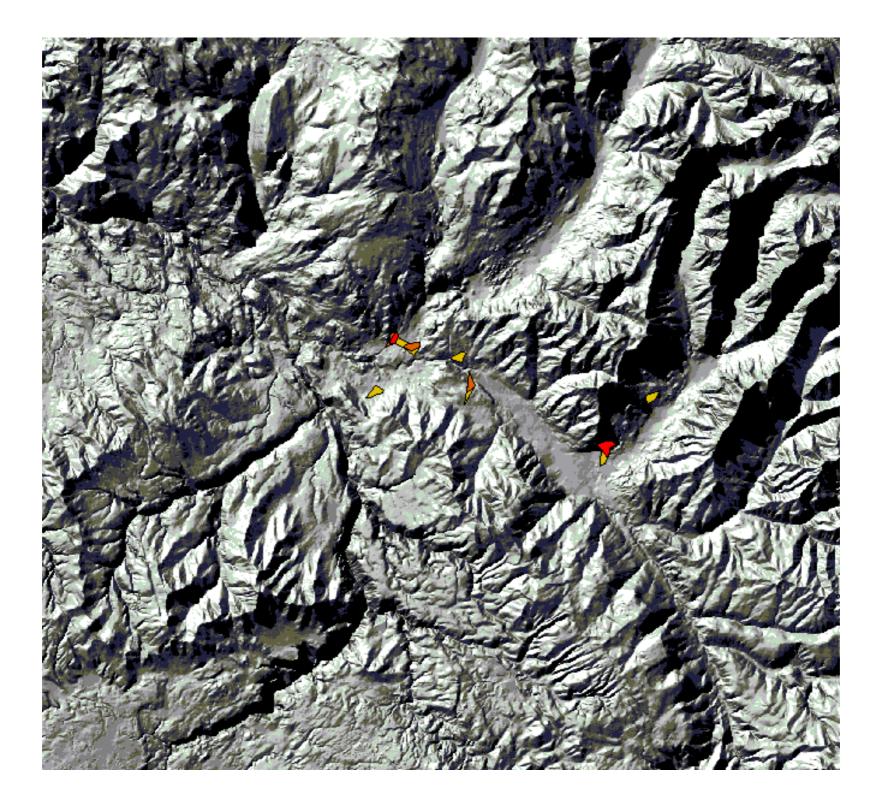
30m Digital Elevation Model with hillshade

Wolf observations

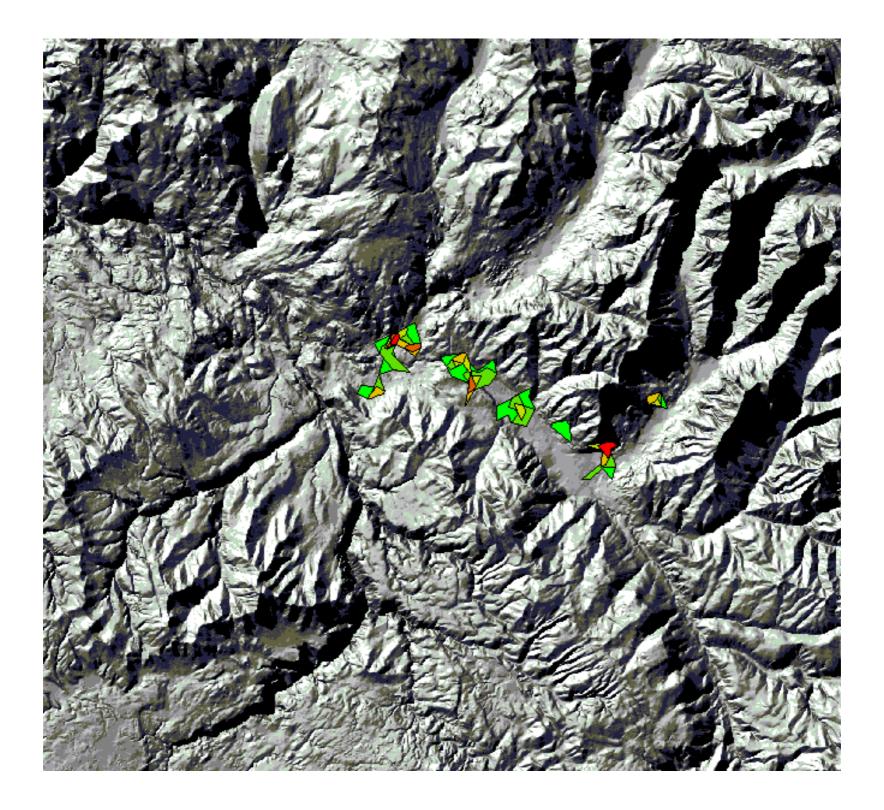


wolves are clearly avoiding step slopes

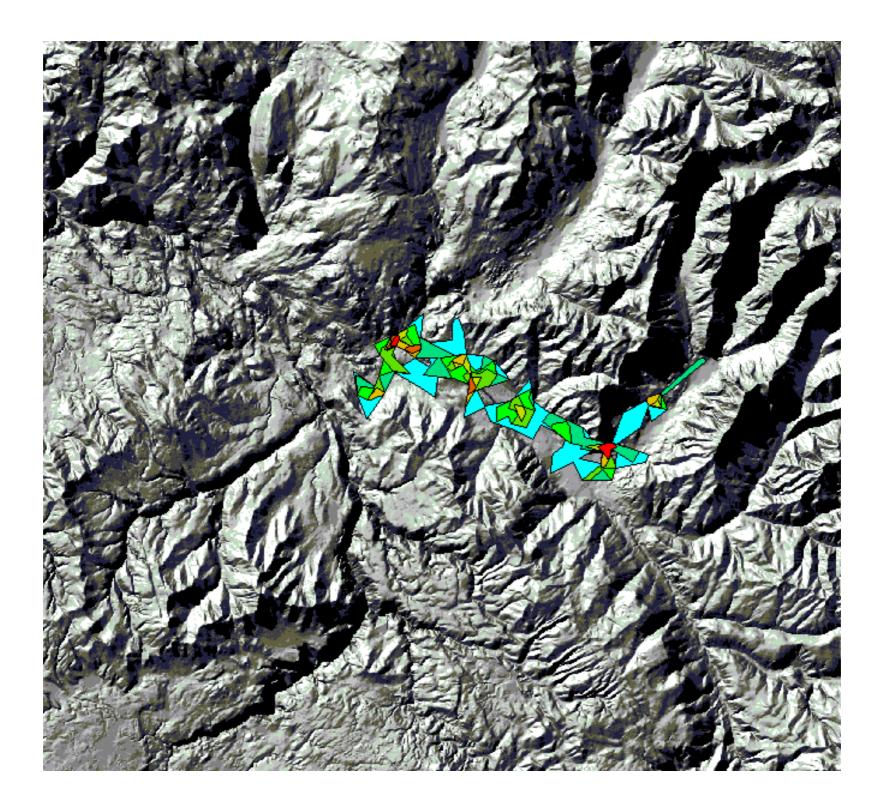
First 3 decile isopleths (30% of observations)



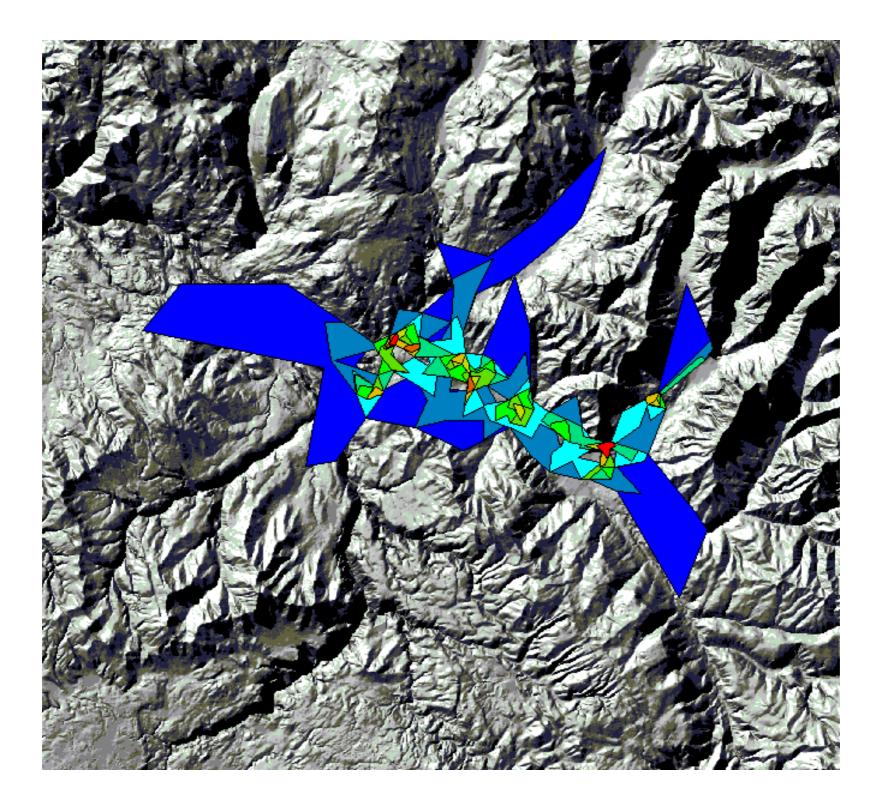
First 6 decile isopleths (60% of observations)



First 9 decile isopleths (90% of observations)



All 10 decile isopleths (100% of observations)



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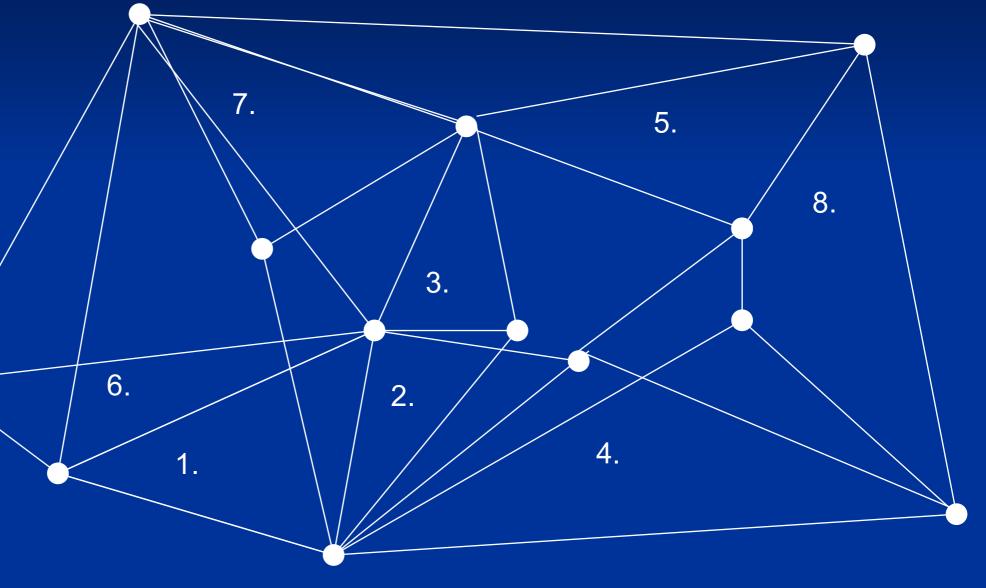
Lecture 3, Part 2 Space-time considerations: T-LoCoH (Extracted from a talk by Andy Lyons)





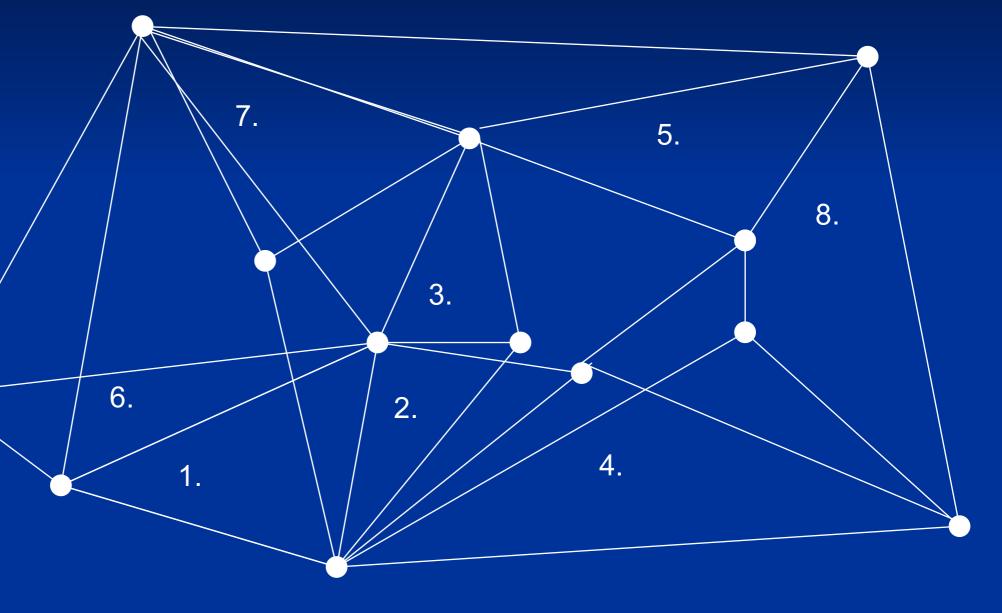
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T-LoCoH Modifications



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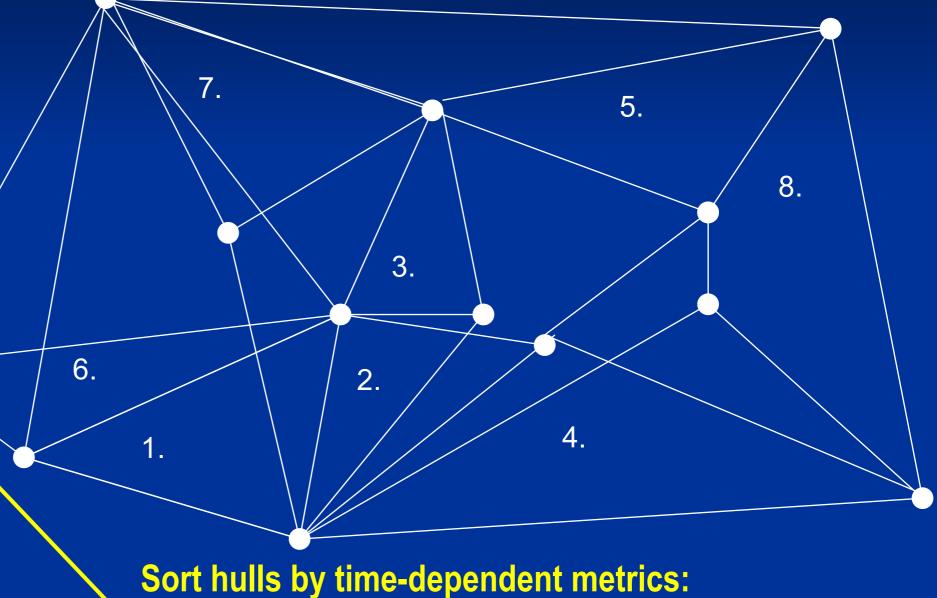


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Sort hulls by time-dependent metrics revisitation, duration, elongation



✓ Euclidean Distance → "Time Scaled Distance"



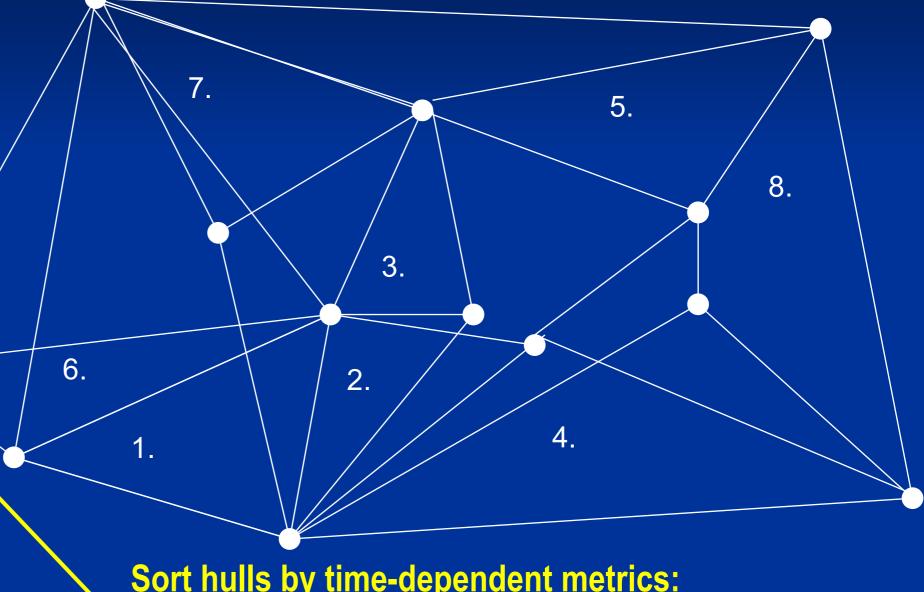
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New visualization tools



– Euclidean Distance -> "Time Scaled Distance"



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 - i.e., "push apart" points based upon how far they are separated in time

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how far would the animal have traveled in this time interval it had been moving in a random walk?

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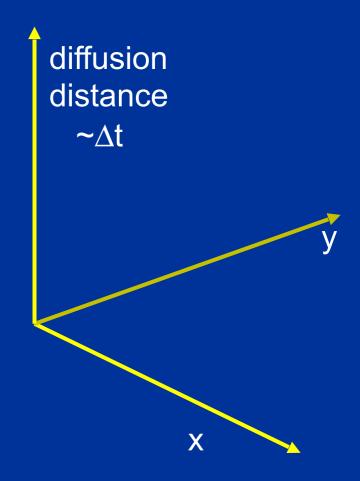
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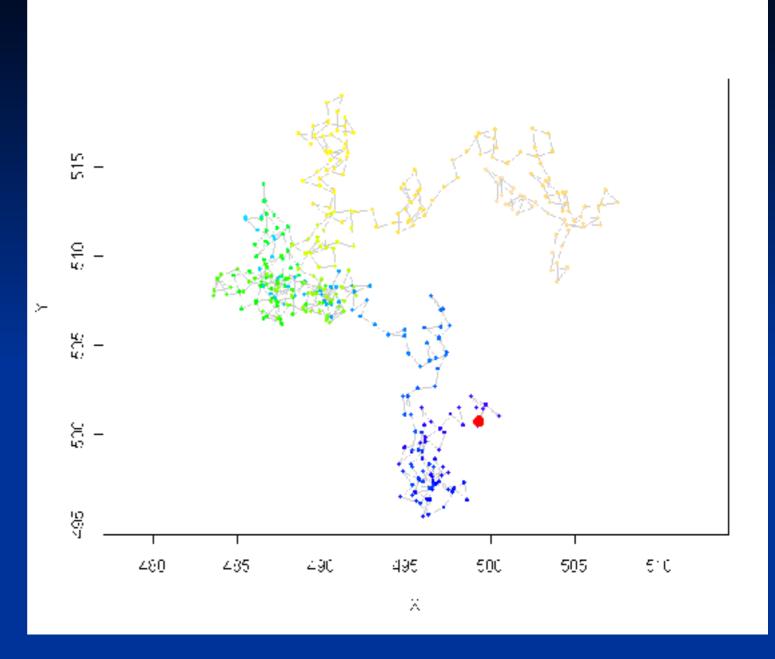
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Diffusion distance δ

For a random walk where: λ = constant step length N = number of steps between two selected points

 $\delta(N) = \lambda \sqrt{N}$



Diffusion distance δ

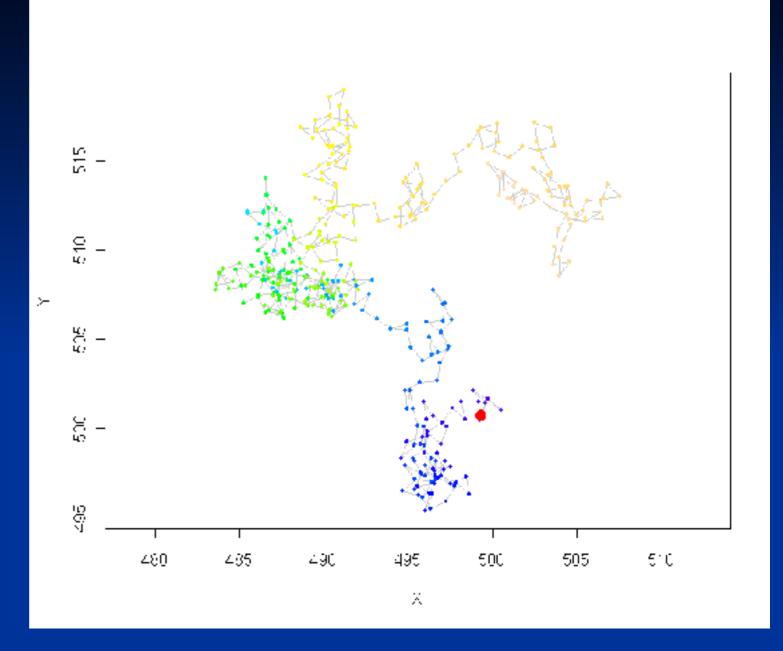
For a random walk where: $\lambda = \text{constant step length}$ N = number of steps betweentwo selected points

 $\delta(N) = \lambda \sqrt{N}$

For a dataset with variable step length but roughly constant sampling interval:

$$\delta(\Delta t) \approx \overline{d} \sqrt{\frac{\Delta t}{\tau}}$$

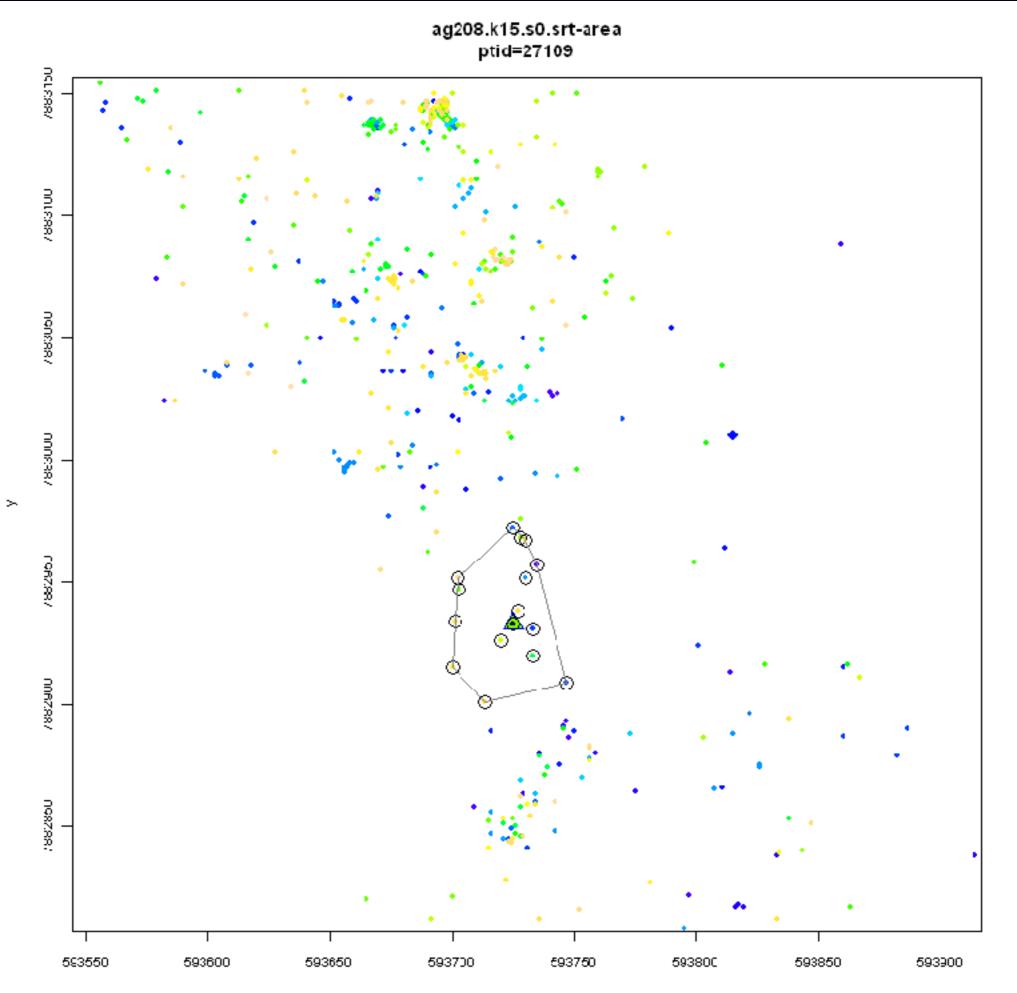
 \overline{d} = median step length τ = median sampling frequency

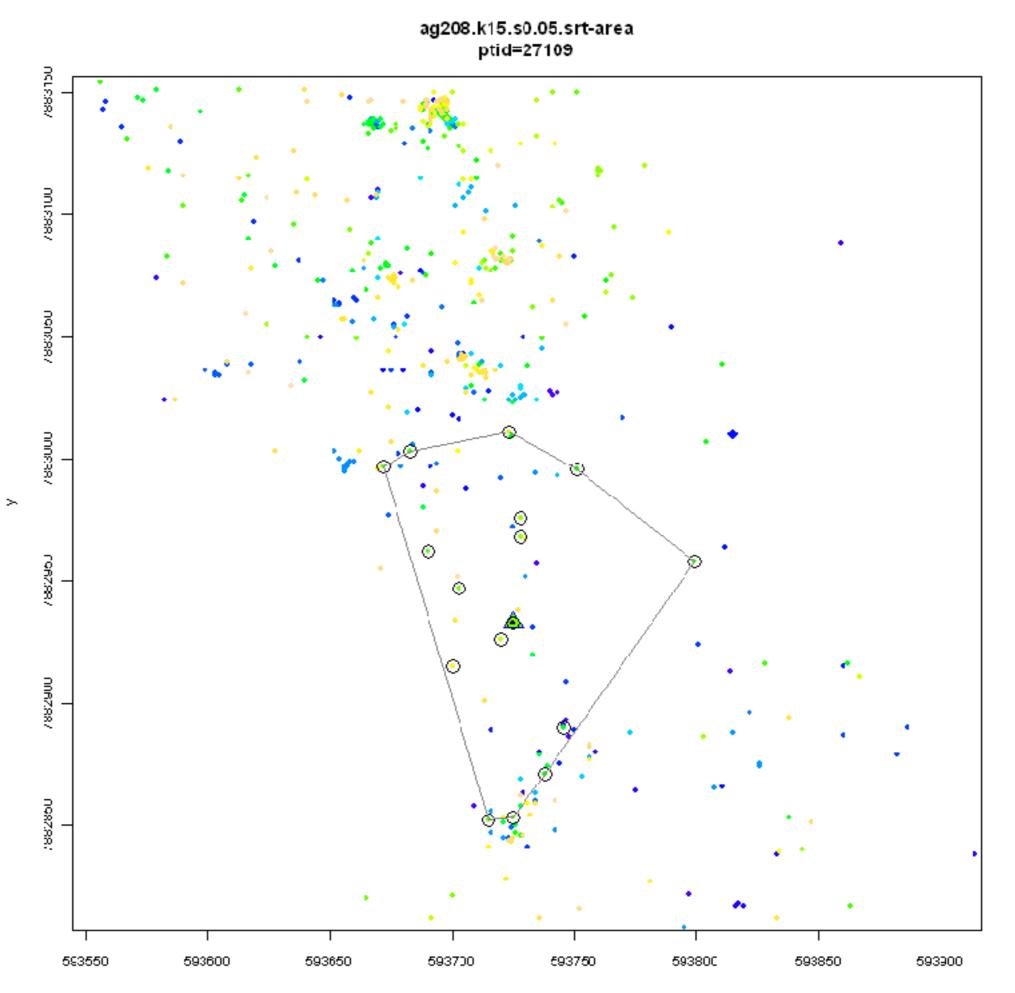


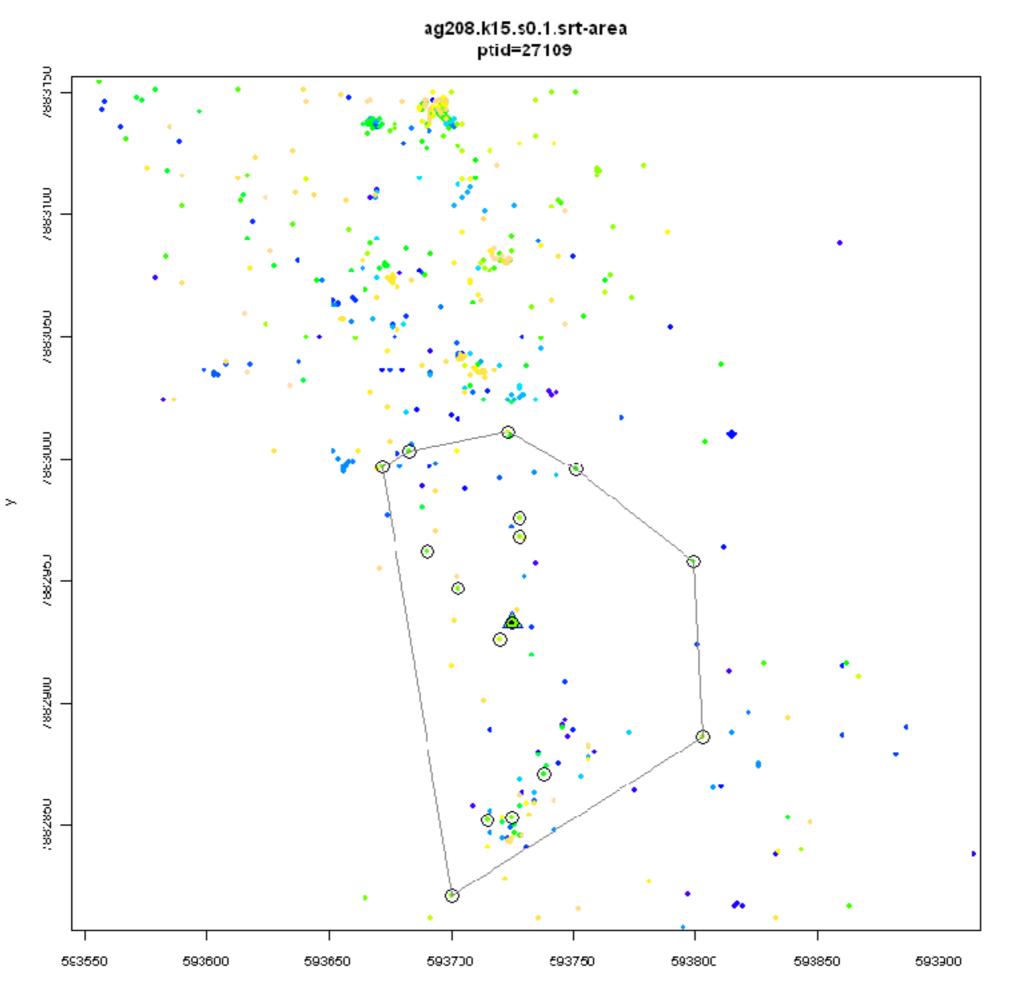
Time-Scaled Distance (TSD)

$$D_{ij} = \sqrt{\Delta x_{ij}^{2} + \Delta y_{ij}^{2} + s\delta (\Delta t_{ij})^{2}}$$
$$= \sqrt{\Delta x_{ij}^{2} + \Delta y_{ij}^{2} + s\overline{d}^{2} \frac{\Delta t_{ij}}{\tau}}$$

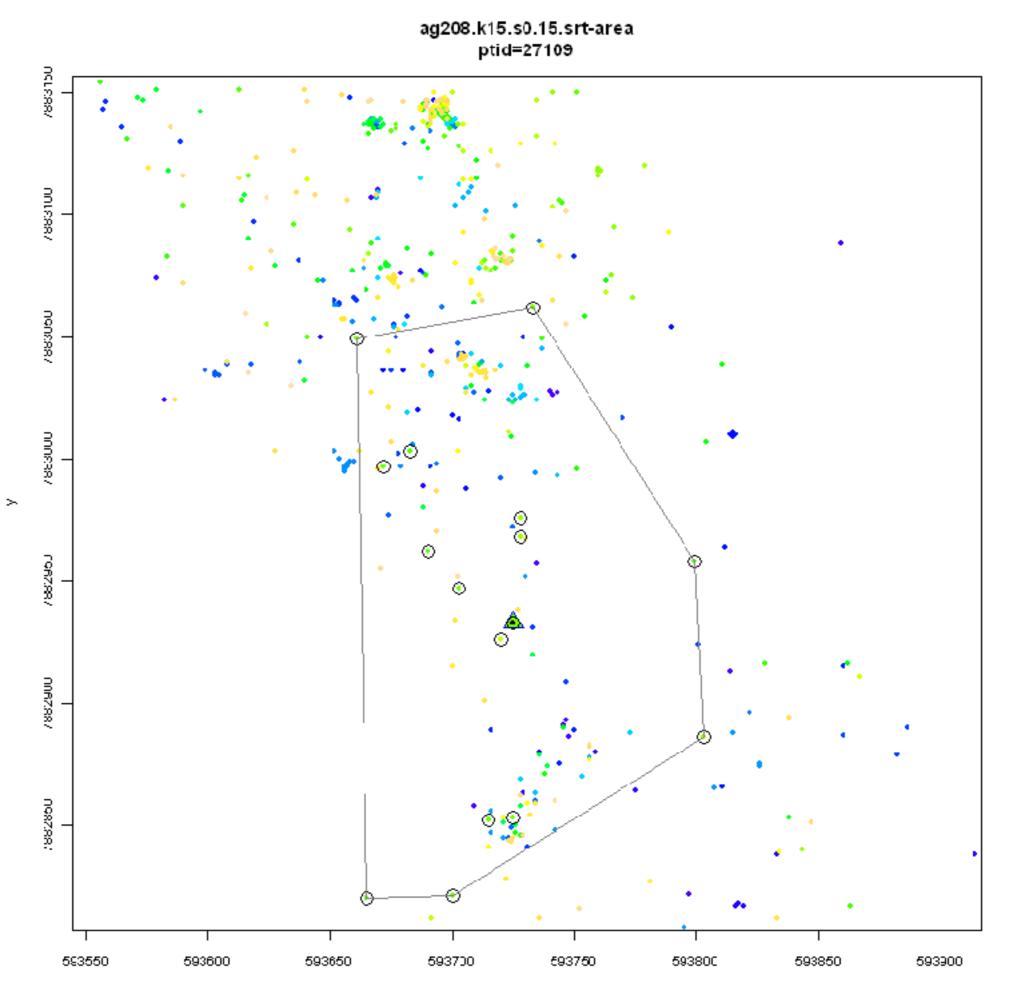
where *s* is a dimensionless scaling factor that controls the degree to which diffusion distance influences Euclidean distance ($s \ge 0$)



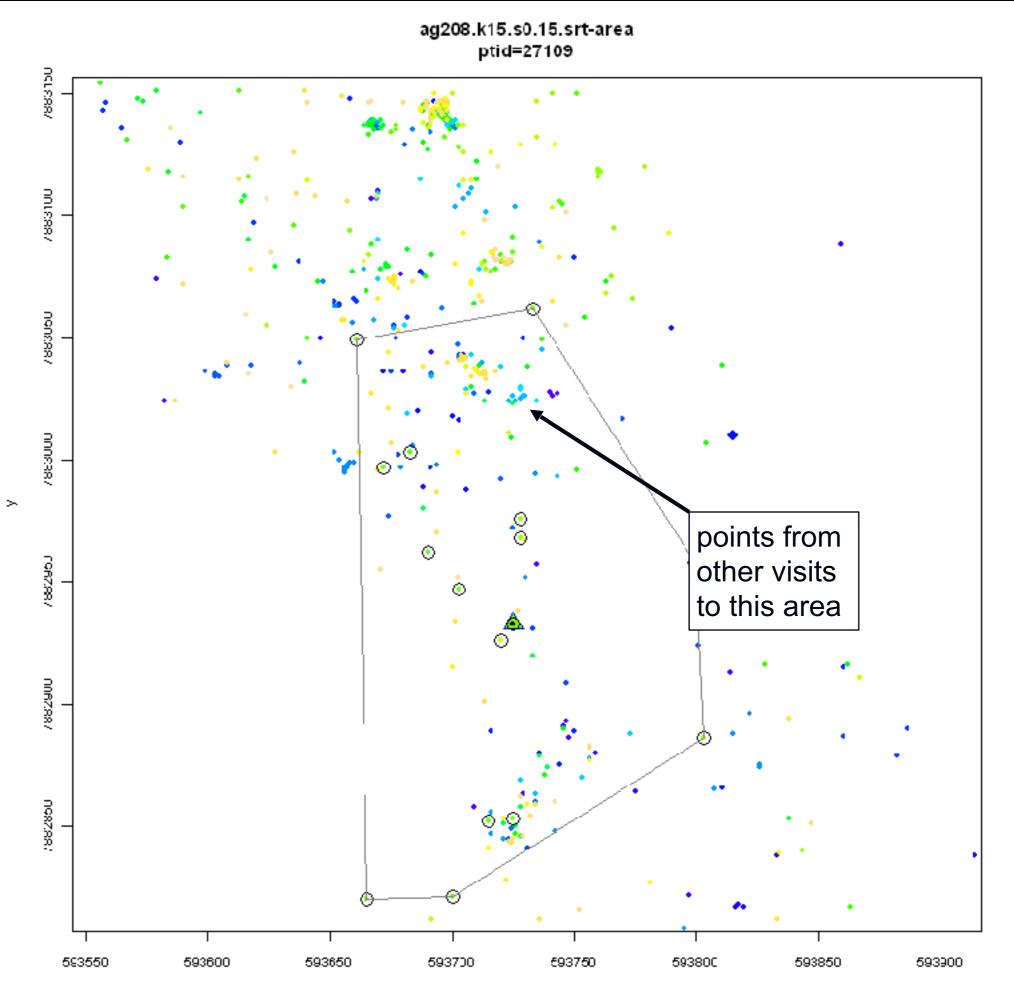




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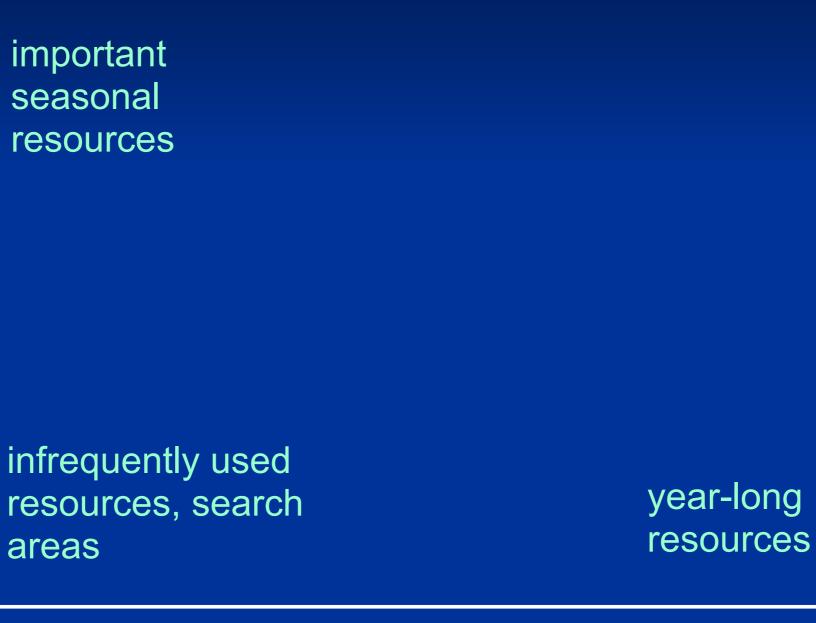
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Time Use Space



revisitation

Time Use Space



duration

revisitation

T-LoCoH Hull Metrics

Density

- area
- number of nearest neighbors used in hull construction
- number of enclosed points

Time Use

- revisitation rate (number of separate visits where visits are differentiated by an intervisit gap period)
- mean visit duration (mean number of occurrence per visit)
- revisitation and mean visit duration normalized by hull area

<u>Time</u>

- hour of day of the parent point
- month of the parent point
- date of the parent point

Elongation / Movement Phase

- eccentricity of a bounding ellipsoid constructed around the hull
- perimeter / area ratio
- average speed of nearest neighbors used in hull construction (where the speed of a point sampled at time t is measured from t-1 to t+1).
- average speed of all points enclosed by the hull
- standard deviation of the speed of nearest neighbor points
- standard deviation of the speed of enclosed points

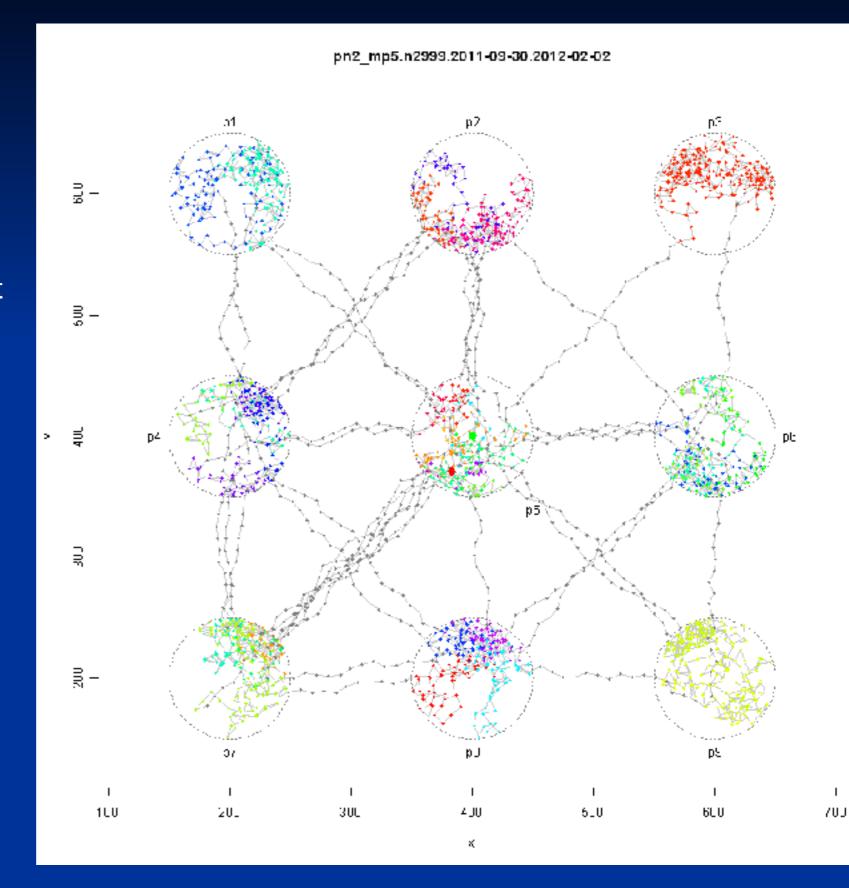
T-LoCoH General Workflow

- 1. Select a value of *s* based on the time scale of interest
- 2. Create density isopleths that do a "good job" representing the home range e.g., no spurious crossovers
- 3. Compute hull metrics for elongation and/or time-use
- 4. Visualize isopleths and/or hull points
- 5. Interpret and/or plot against environmental variables

Simulated Data

- 1.Single virtual animal moves between 9 patches
- 2.constant step size and sampling interval
- 3.unbounded random walk within each patch for a predetermined # steps
- 4.directional movement to the next patch
- 5.duration and frequency of patch use varied

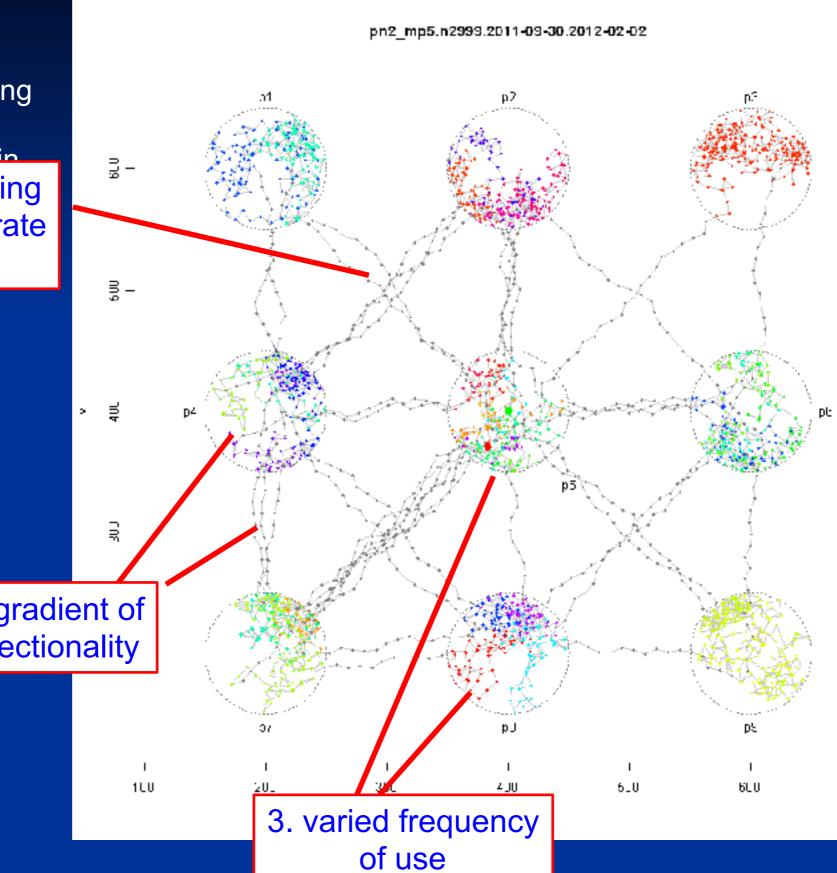
Patch	Visits	Total Pts
p1	2 x 120	240
p2	4 x 60	240
р3	1 x 240	240
p4	6 x 40	240
р5	12 x 20	240
p6	4 x 60	240
р7	6 x 40	240
p8	4 x 60	240
p9	2 x 120	240



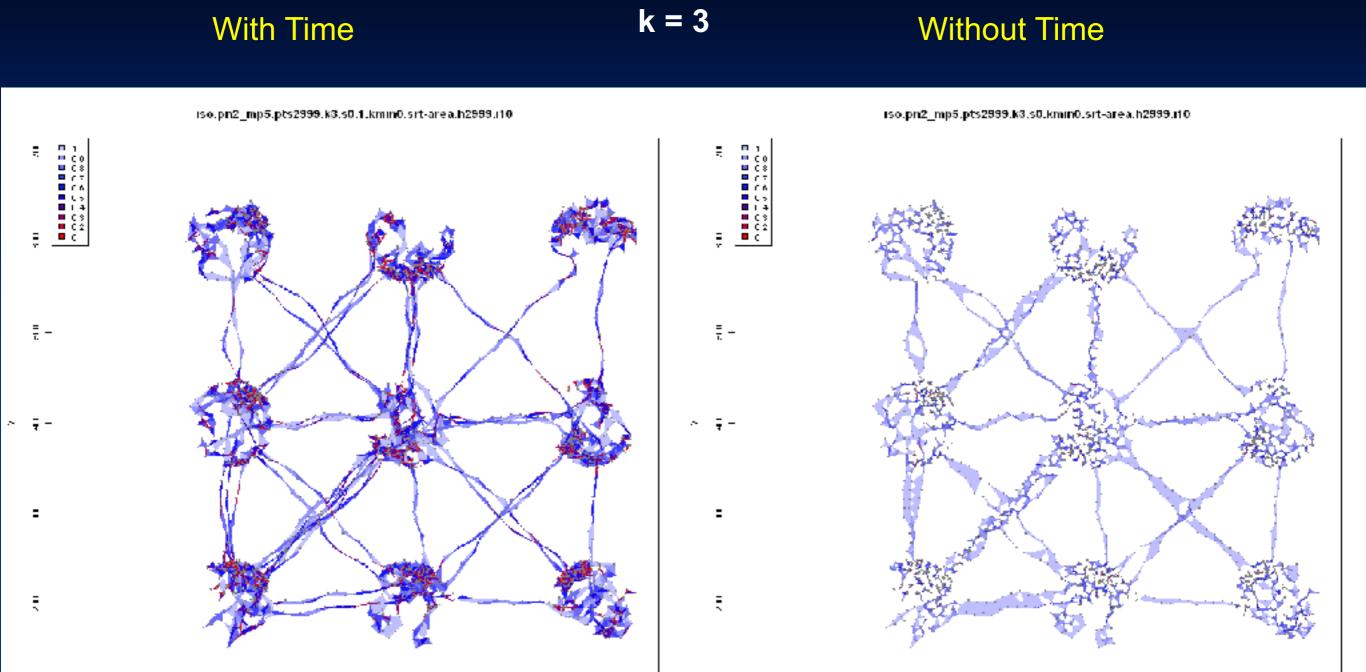
Simulated Data

- 1.Single virtual animal moves between 9 patches
- 2.constant step size and sampling interval
- 3.unbounded random walk within
 - each p
 # step:
 1. spatially overlapping
 but temporally separate
- 4.directic resource edges
- patch
- 5.duration and frequency of patch use varied

Patch	Visits	Total Pts			
p1	2 x 120	240			
p2	4 x 60	240			
р3	1 x 240	240	2	2. gradi	e
p4	6 x 40	240		directio	
р5	12 x 20	240			
p6	4 x 60	240			
р7	6 x 40	240			
р8	4 x 60	240			
p9	2 x 120	240			



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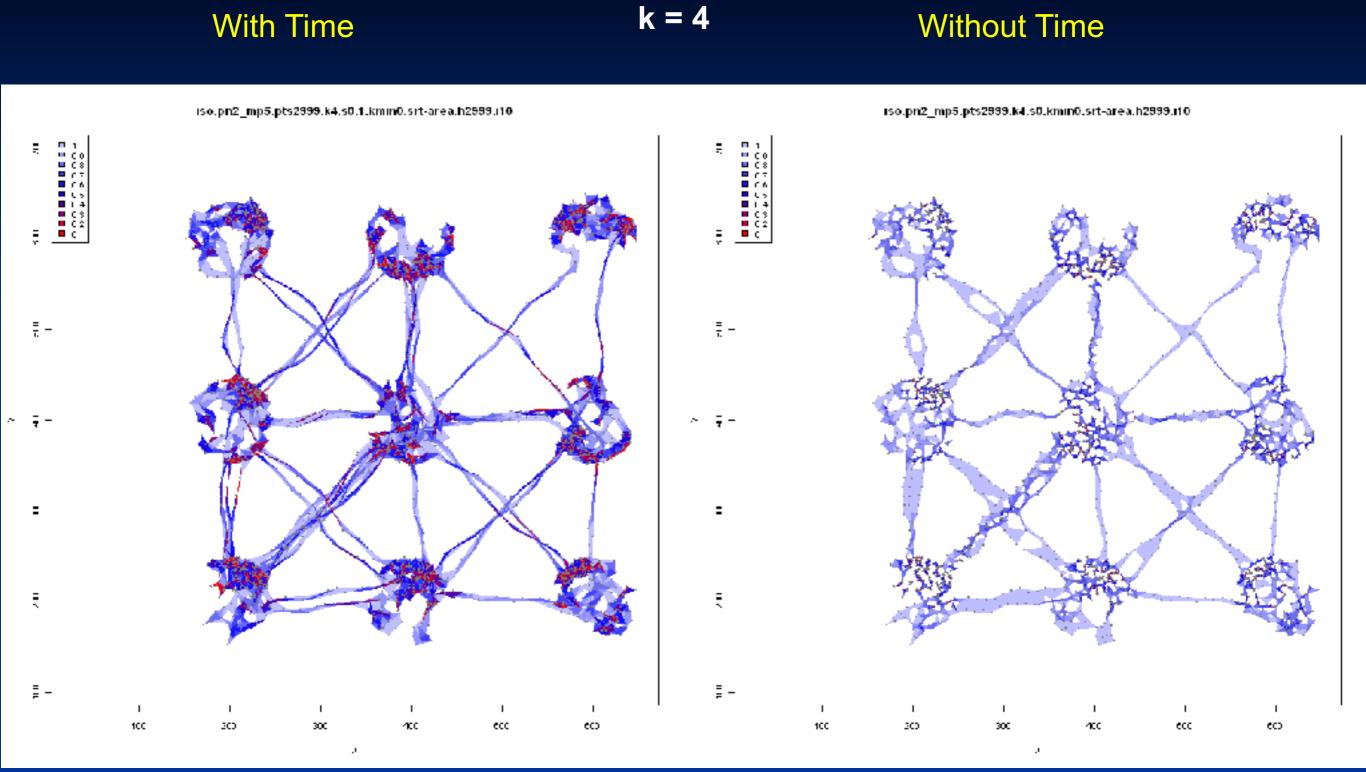
ecc

Isopleth level indicates the proportion of total points enclosed along a gradient of point density (red highest density, light blue lowest).

I.

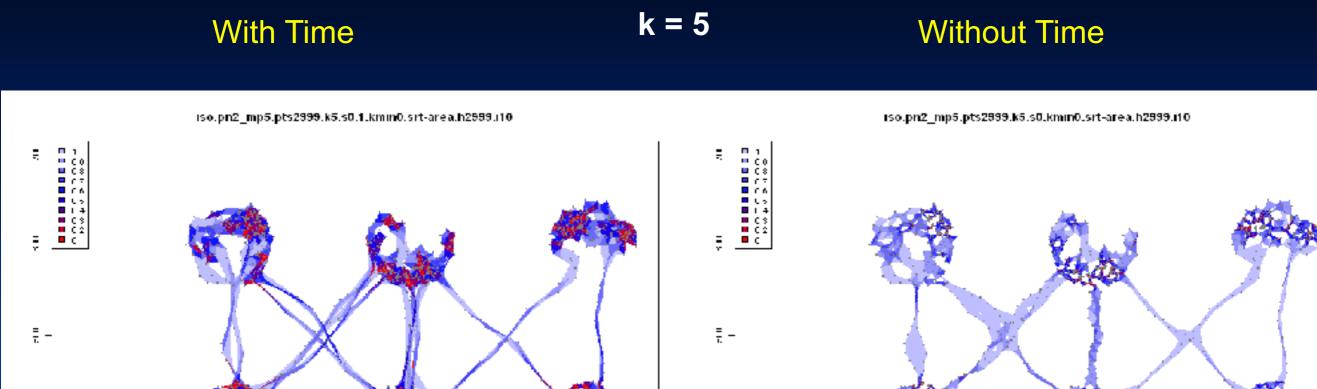
100

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s = 0

Isopleth level indicates the proportion of total points enclosed along a gradient of point density (red highest density, light blue lowest).



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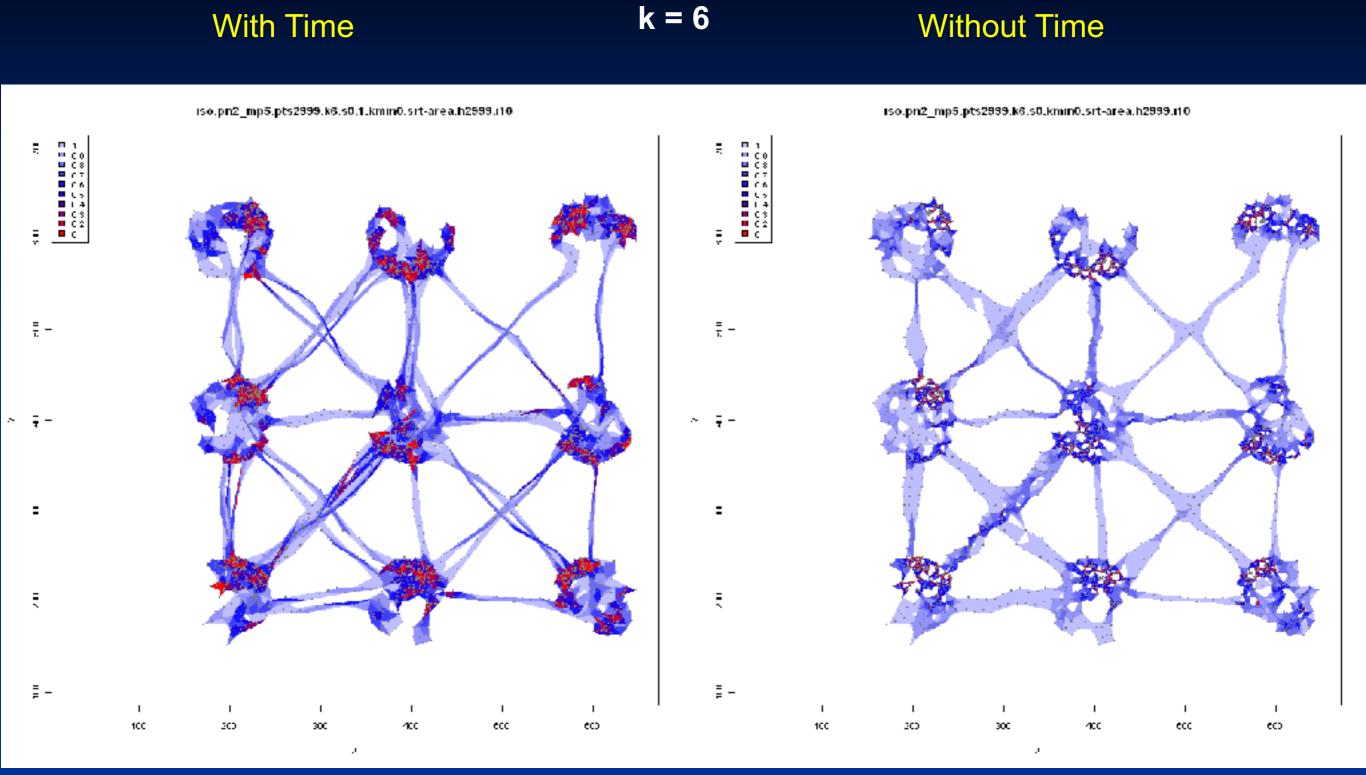
Isopleth level indicates the proportion of total points enclosed along a gradient of point density (red highest density, light blue lowest).

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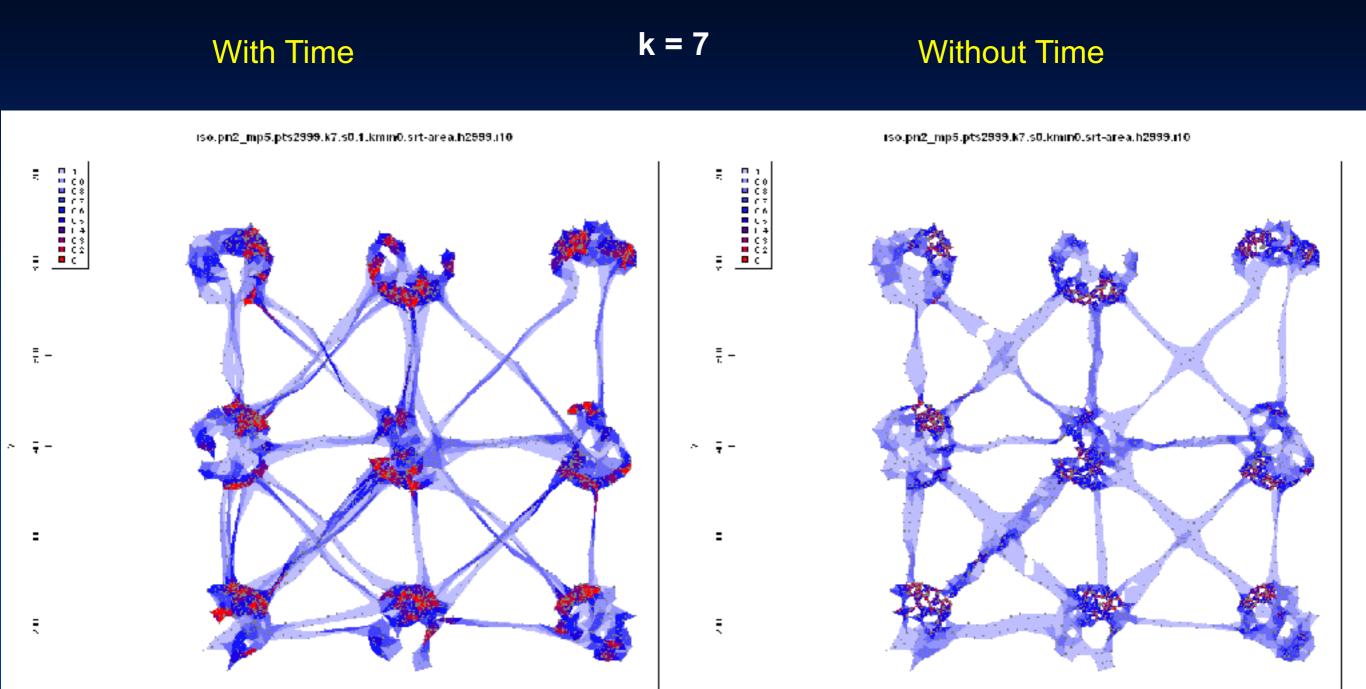
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s = 0

Isopleth level indicates the proportion of total points enclosed along a gradient of point density (red highest density, light blue lowest).



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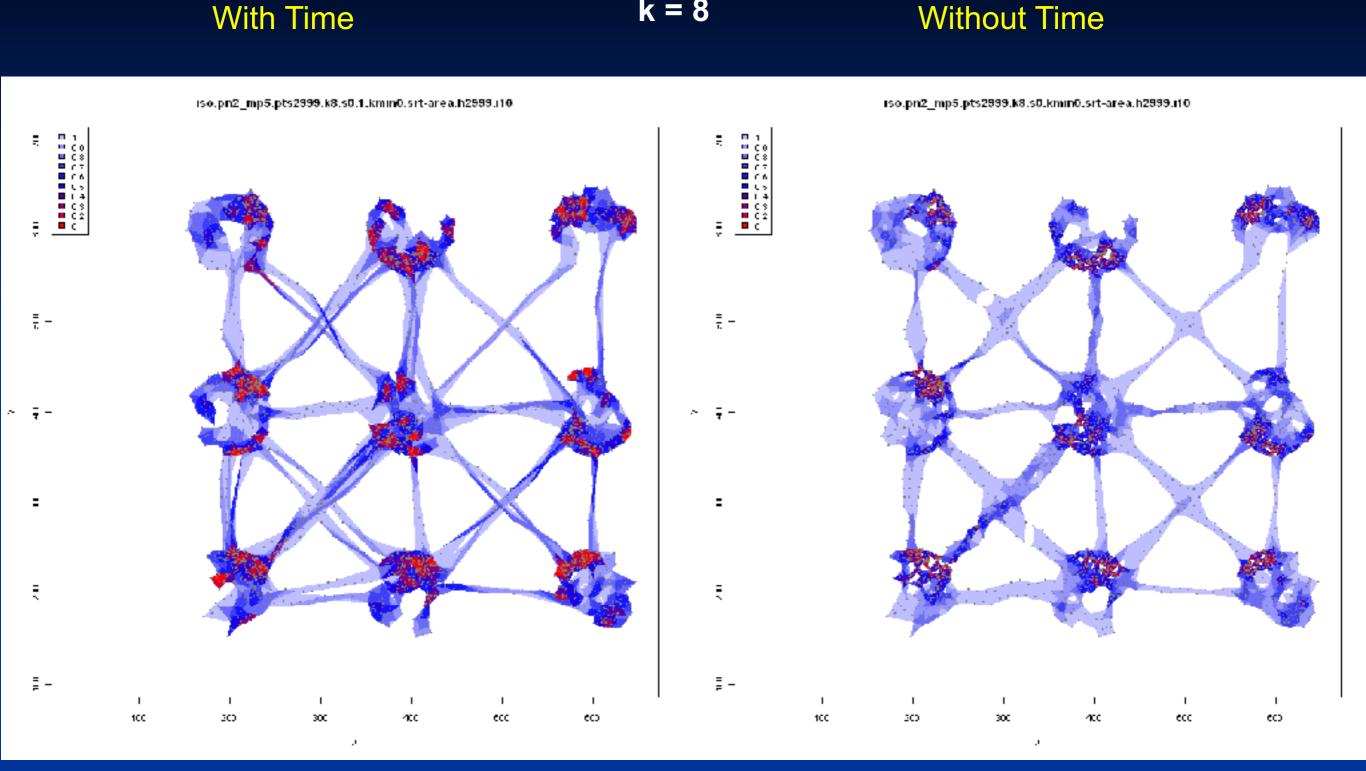
Isopleth level indicates the proportion of total points enclosed along a gradient of point density (red highest density, light blue lowest).

<u>-</u>

L

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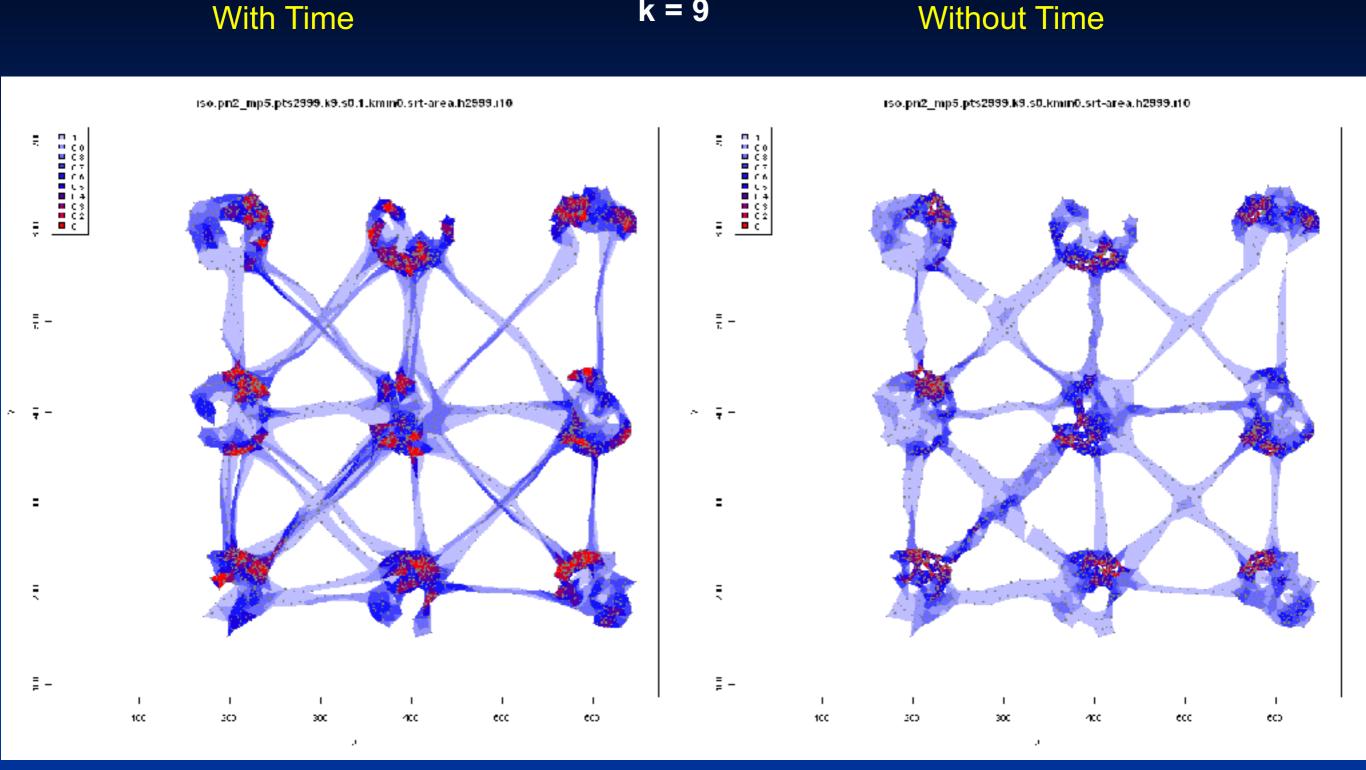


k = 8

s = 0.1

s = 0

Isopleth level indicates the proportion of total points enclosed along a gradient of point density (red highest density, light blue lowest).



k = 9

s = 0.1

s = 0

Isopleth level indicates the proportion of total points enclosed along a gradient of point density (red highest density, light blue lowest).



With Time

iso.pn2_mp5.pts2999.k10.s0.1.kmin0.srt-area.h2999.i10 iso.pn2_inp5.pts2999.k10.s0.kmin0.srt-area.h2999.i10 🖬 C (C 3 . – . – Ē <u>-</u> <u>-</u> Т Т 1 I I I. Т 1 ecc 100 300 300 100 ¢Ο 100 200 ecc eco. 300 100

s = 0.1

s = 0

k = 11

With Time

iso.pn2_mp5.pts2999.k11.s0.1.kmin0.srt-area.h2999.i10 iso.pn2_mp5.pts2999.k11.s0.kmin0.srt-area.h2999.i10 🖬 C (0.3 . – . – Ē 1.1.1 <u>-</u> <u>-</u> Т Т 1 I I I. Т 1 100 300 300 100 ecc ¢Ο 100 200 ecc eco. 300 100

s = 0.1

s = 0



With Time

iso.pn2_mp5.pts2999.k13.s0.1.kmin0.srt-area.h2999.i10 iso.pn2_inp5.pts2999.k18.s0.kmin0.srt-area.h2999.i10 🖬 C (C 3 ∎ C: ■ C . – . – Ē 1.1.1 <u>-</u> <u>-</u> Т Т 1 Т I. Т 1 100 300 300 100 ecc ¢Ο 100 200 ecc eco. 300 100

s = 0.1

s = 0



With Time

iso.pn2_mp5.pts2999.k15.s0.1.kmin0.srt-area.h2999.i10 iso.pn2_inp5.pts2999.k15.s0.kmin0.srt-area.h2999.i10 🖬 C (C 3 . – . – Ē <u>-</u> <u>-</u> Т Т 1 Т I. Т 1 100 300 300 100 ecc ¢Ο 100 200 ecc eco. 300 100

s = 0.1

s = 0



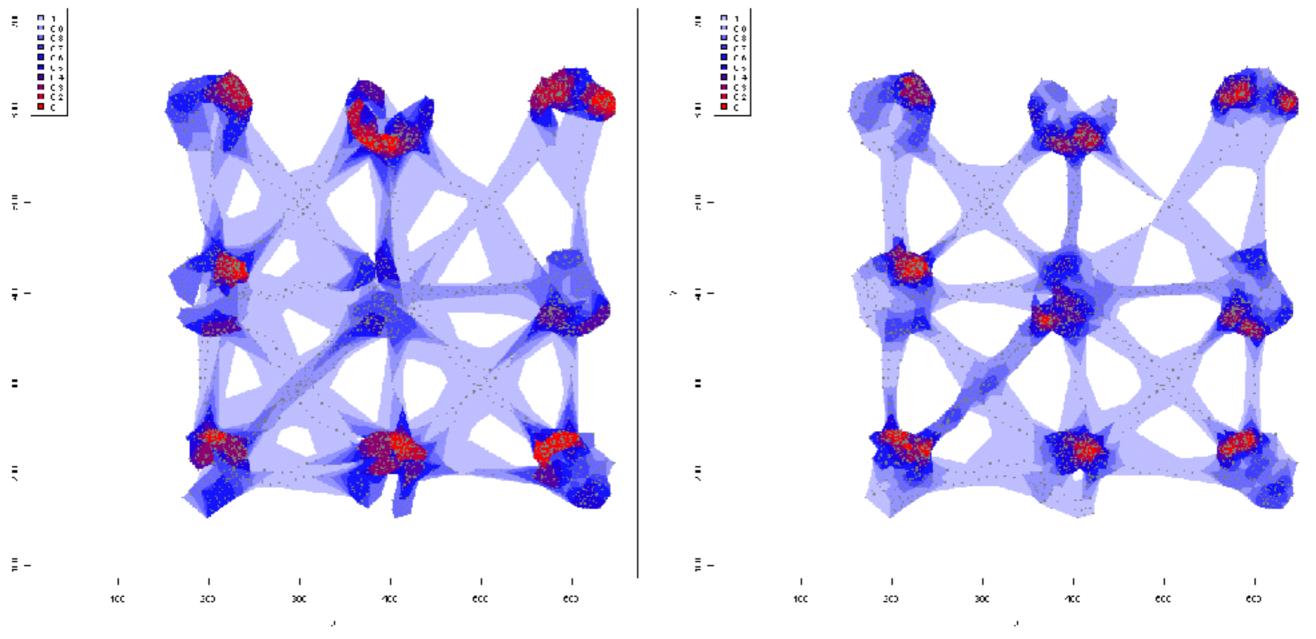
With Time

iso.pn2_mp5.pts2999.k18.s0.1.kmin0.srt-area.h2999.i10 iso.pn2_inp5.pts2999.k18.s0.kmin0.srt-area.h2999.i10 🖬 C (C 3 ■ C : ■ C = . – . – = Ē <u>-</u> <u>-</u> Т Т 1 I Т I. Т 1 L 100 300 300 100 ecc ¢Ο 100 200 ecc eco. 300 100

s = 0.1

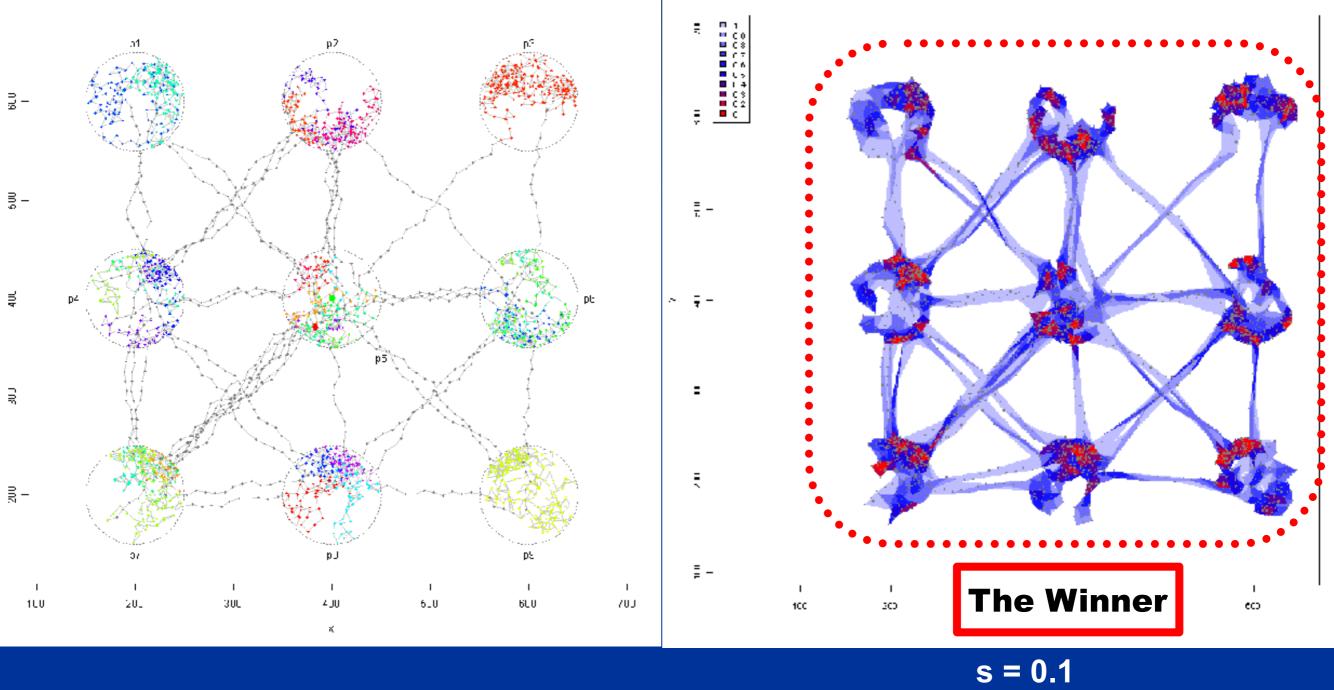
s = 0





s = 0.1

s = 0

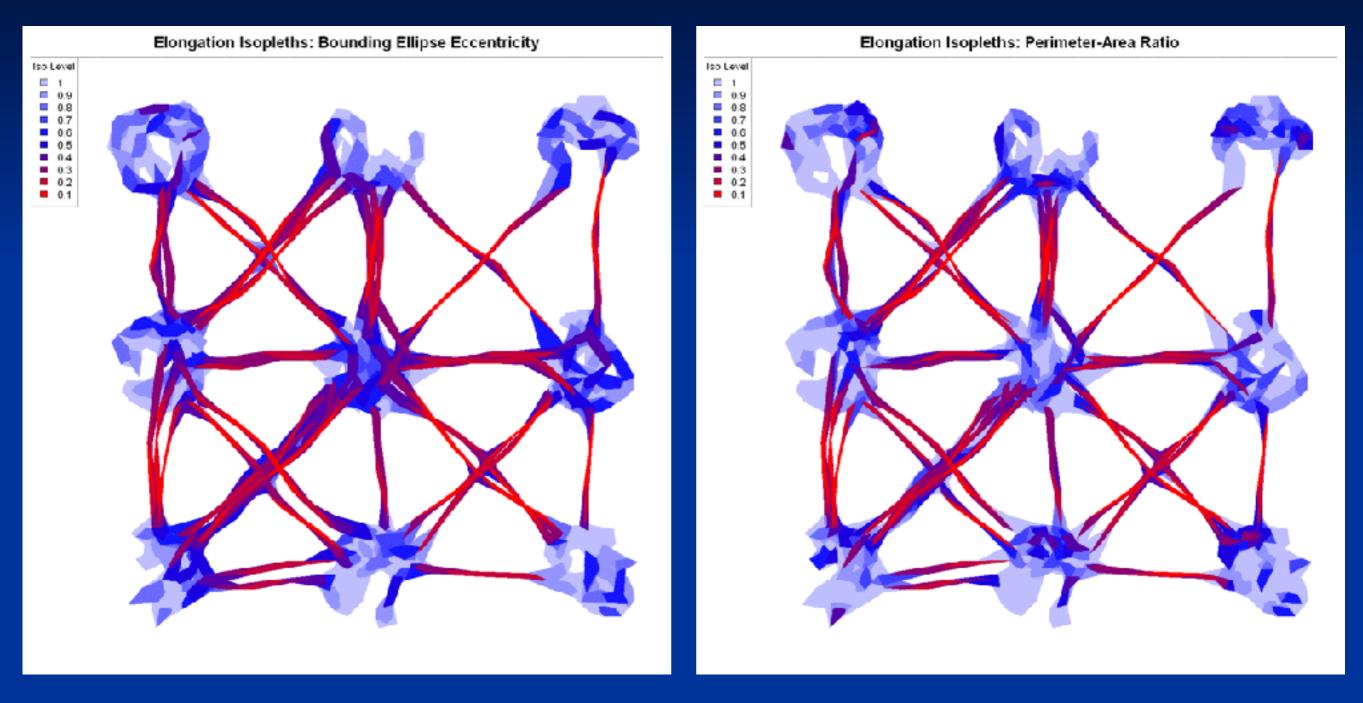


pn2_mp5.n2999.2011-09-30.2012-02-02

iso.pn2_mp5.pts2999.k8.s0.1.kmin0.srt-area.h2999.i10

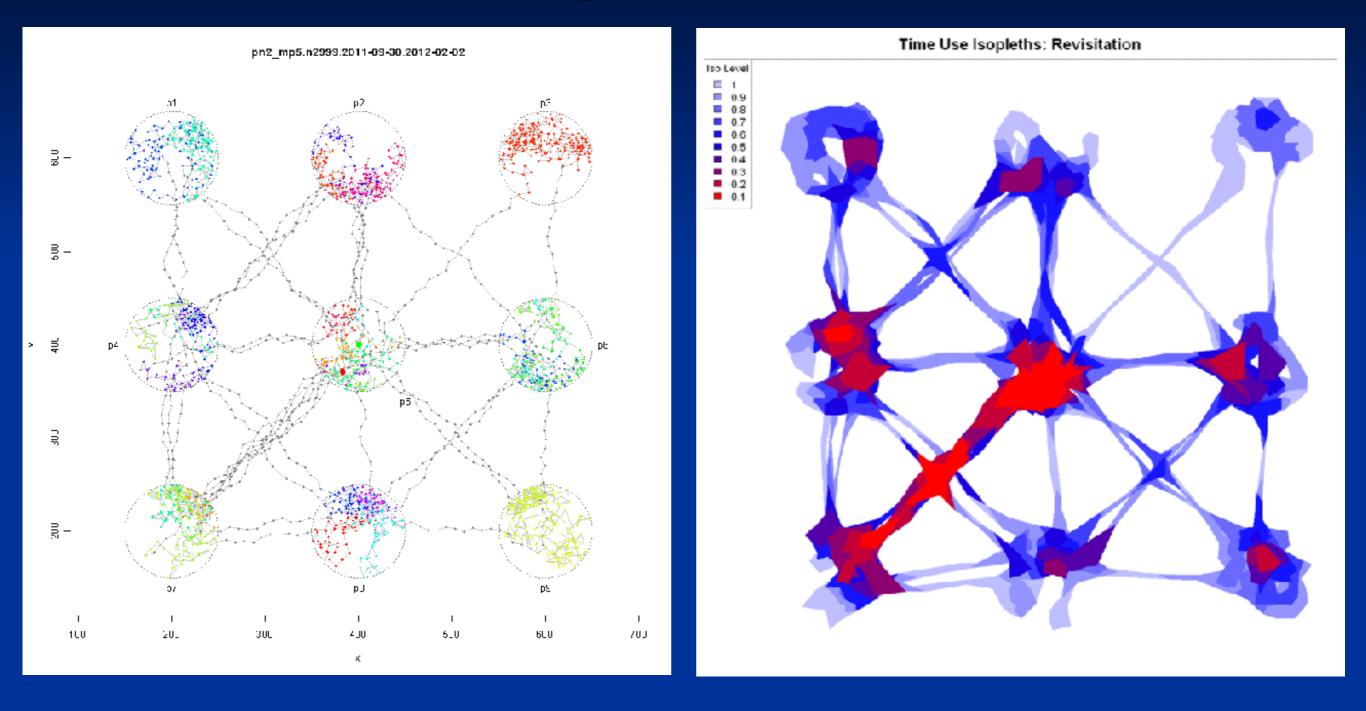
k = 8

Simulated Data: Elongation Isopleths



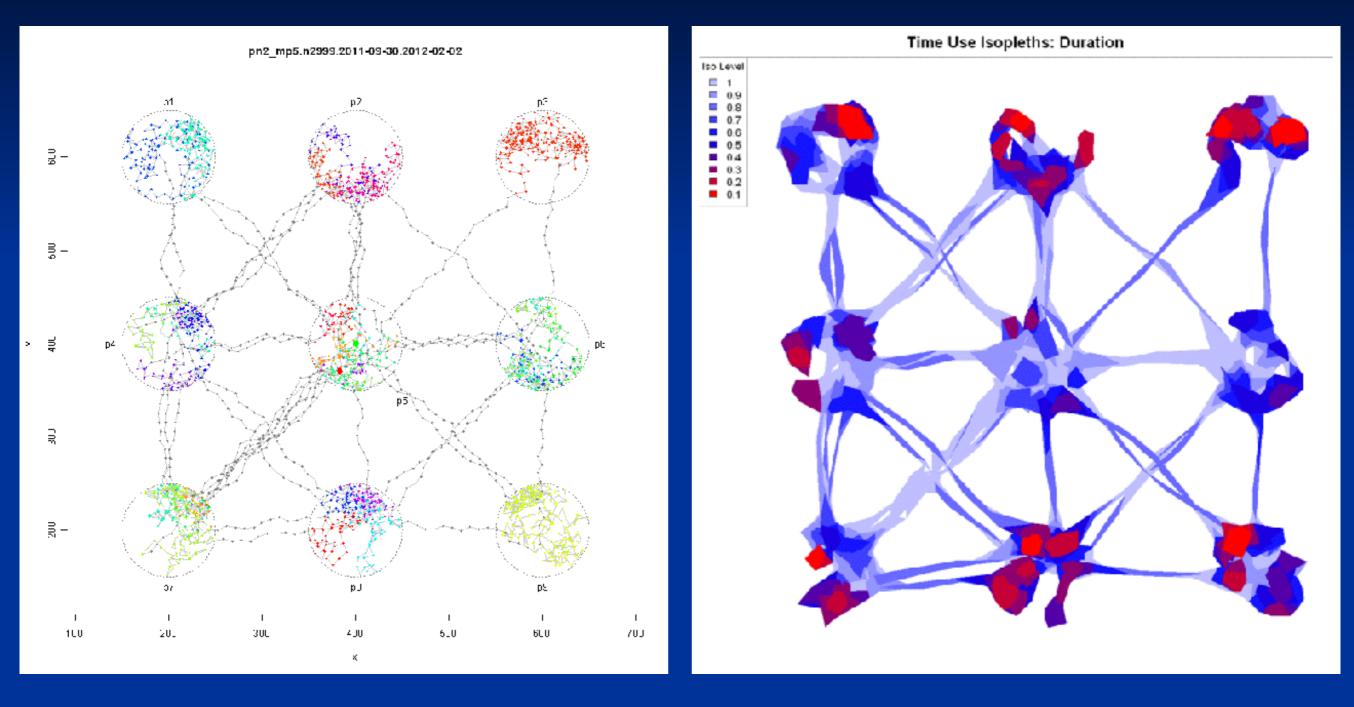
Isopleth levels indicate the proportion of total points enclosed along a gradient of elongation (red most elongated, lightblue least). Hulls sorted by eccentricity of bounding ellipse (left) and perimeter / area ratio (right). Both did a good job identifying the areas of directional movement. One can even see trails within patches when the individual was told 'it's time to go'.

Simulated Data: Revisitation Isopleths



Hulls sorted by number of separate visits (inter-visit gap = 24 time steps). Hulls most revisited were found in the center patch (revisited more than any other patch) and the "superhighway" between patch five and seven. Also the 'foyer' area of patches.

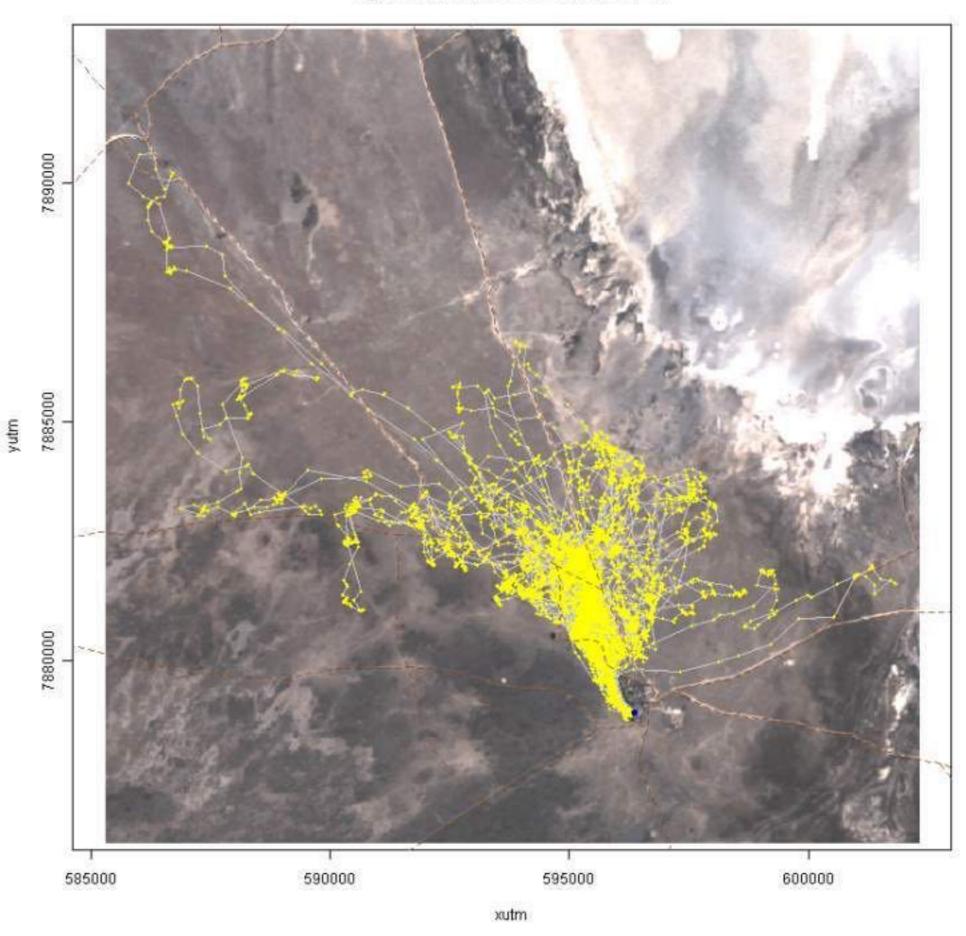
Simulated Data: Duration Isopleths



Hulls sorted by mean number of locations per visit (inter-visit gap = 24 time steps). Hulls with the longest duration were found around the edges of patches where the animal was programmed to 'bounce back' and got stuck. Also patch 3 where the animal remained the longest during a single visit.

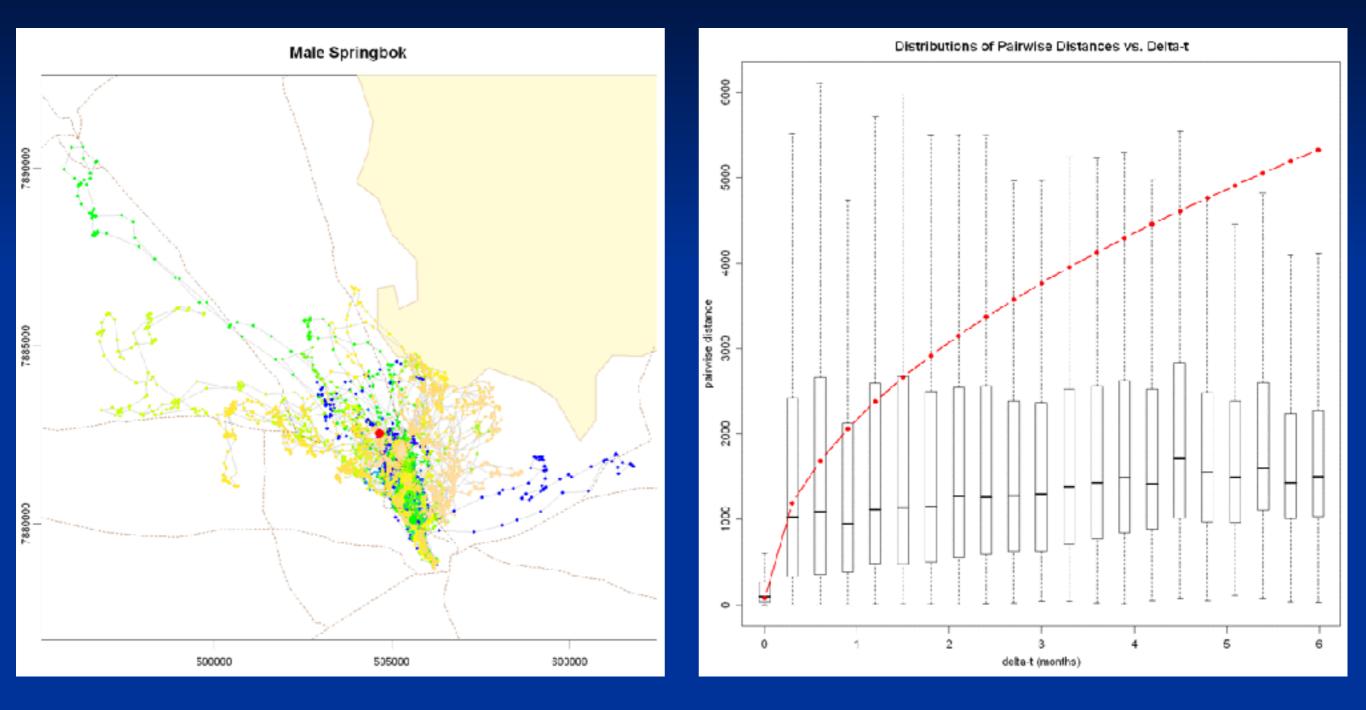


territorial male



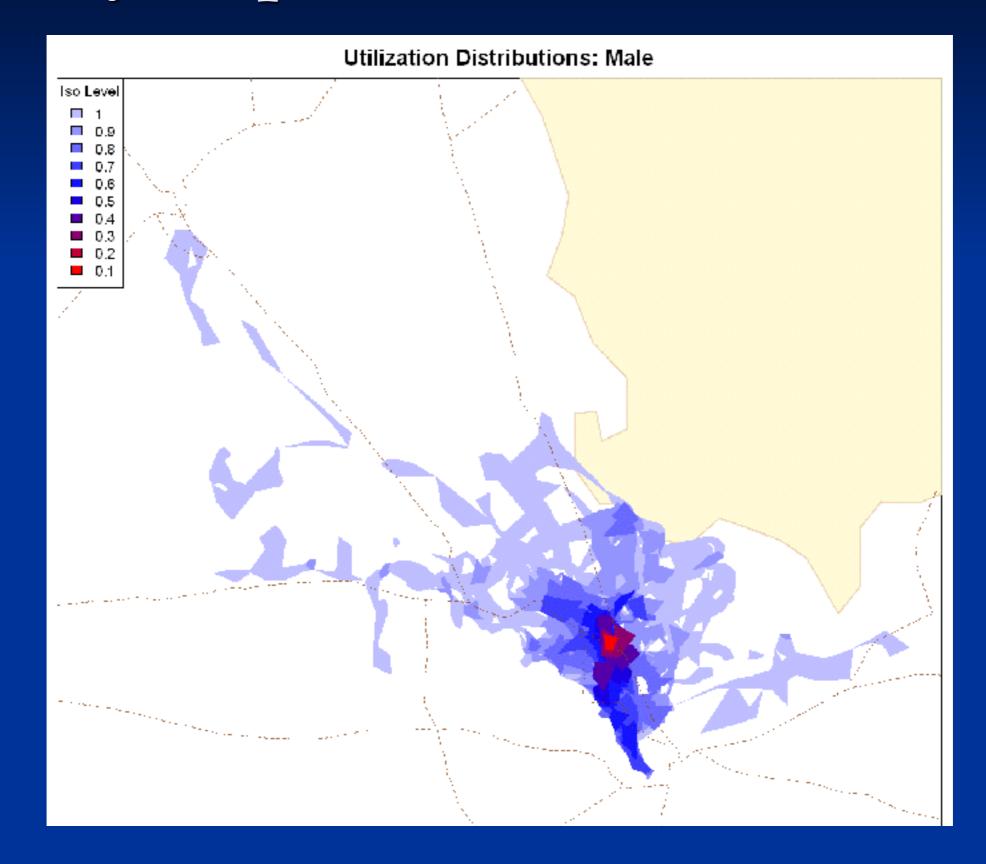
ag214.n10702.2009-09-02.2010-04-14

Male Springbok: Null model fit

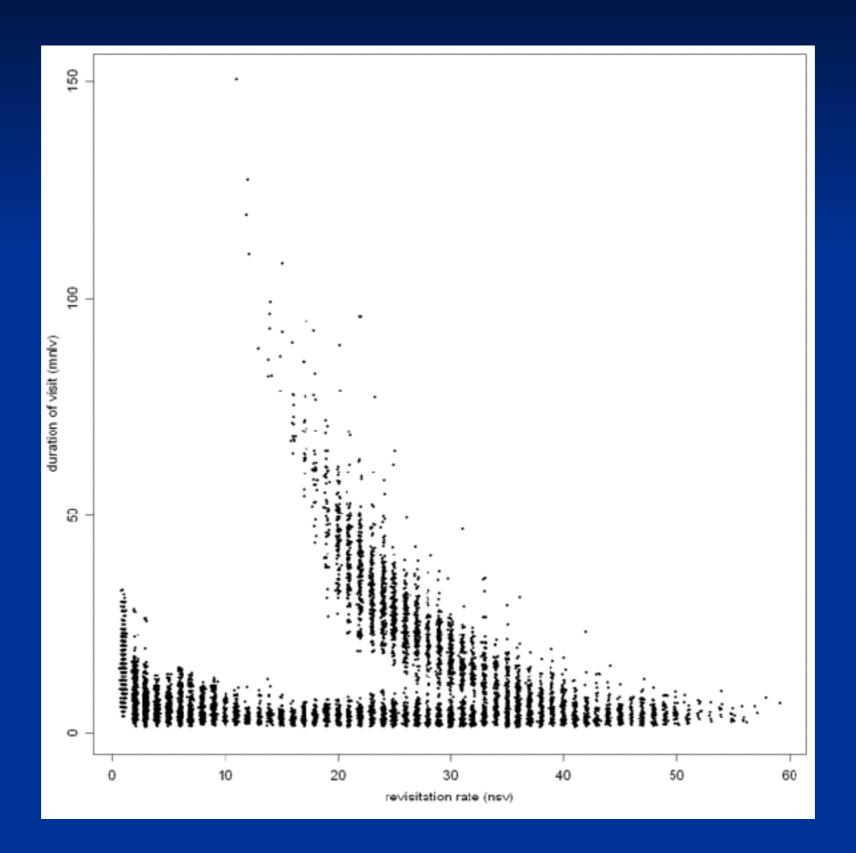


On left, maps of the male springbok in Etosha National Park, Namibia. The colors of the points reflect temporal continuity; tan lines are roads, and yellow polygons are salt pans. On the right, box plots show the distribution of the net displacement of all pairs of points sampled Δt apart (x-axis), with the predicted Gaussian diffusion distance from the random walk null model specified in Equation 2 overlaid in red.

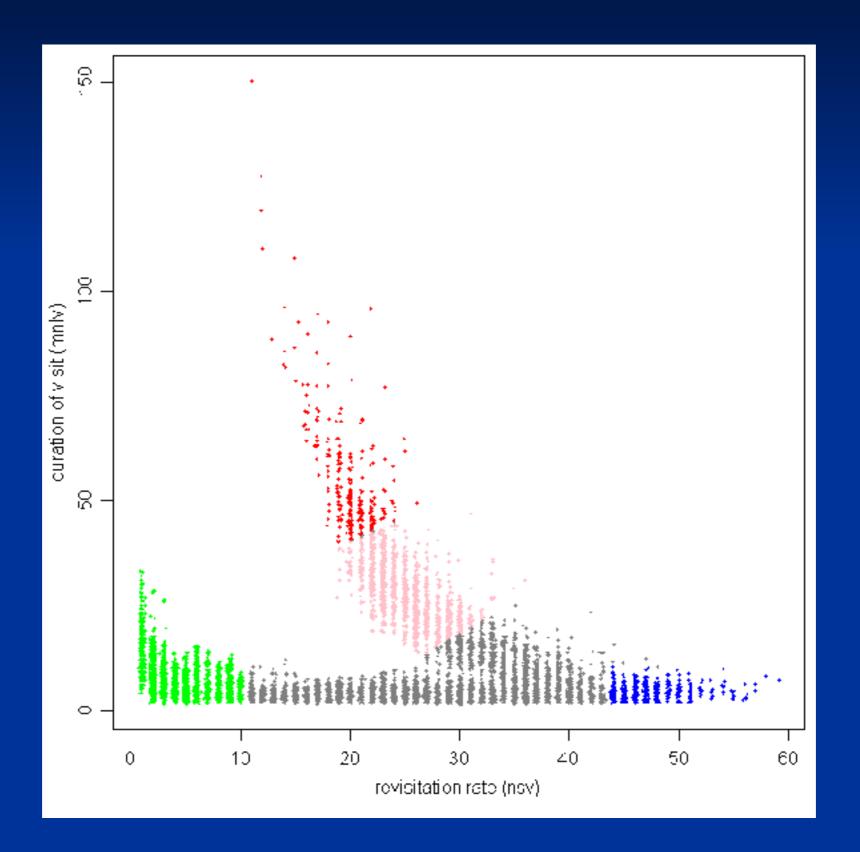
Male Springbok: Density Isopleths



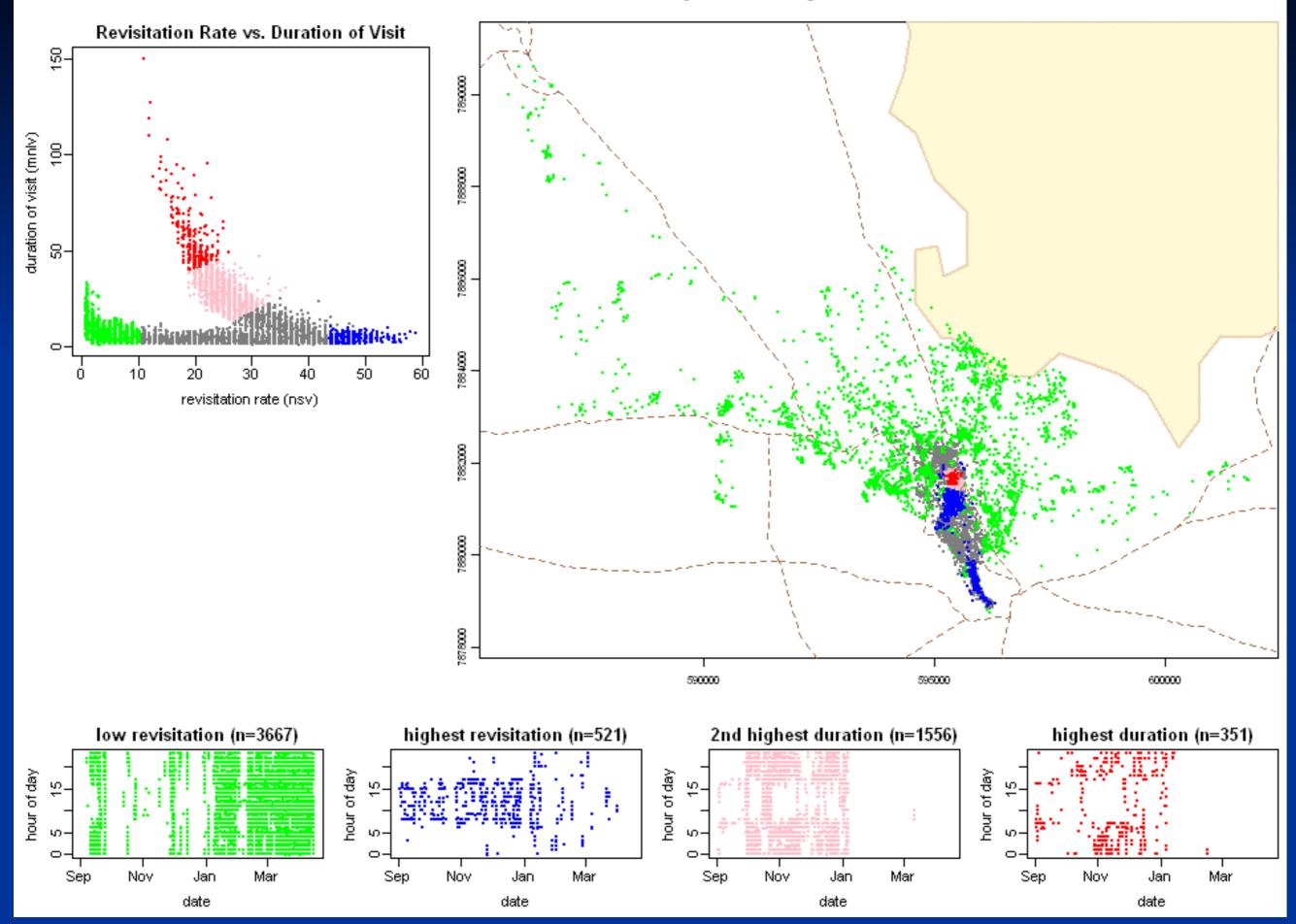
Male Springbok: Hulls in Time-Use Space



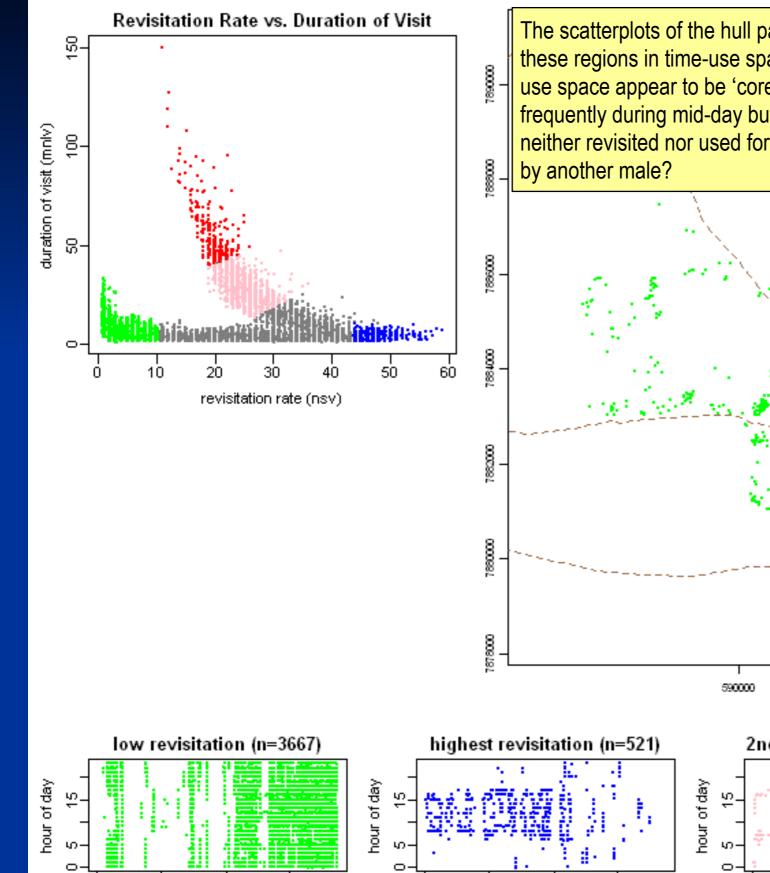
Male Springbok: Hulls in Time-Use Space



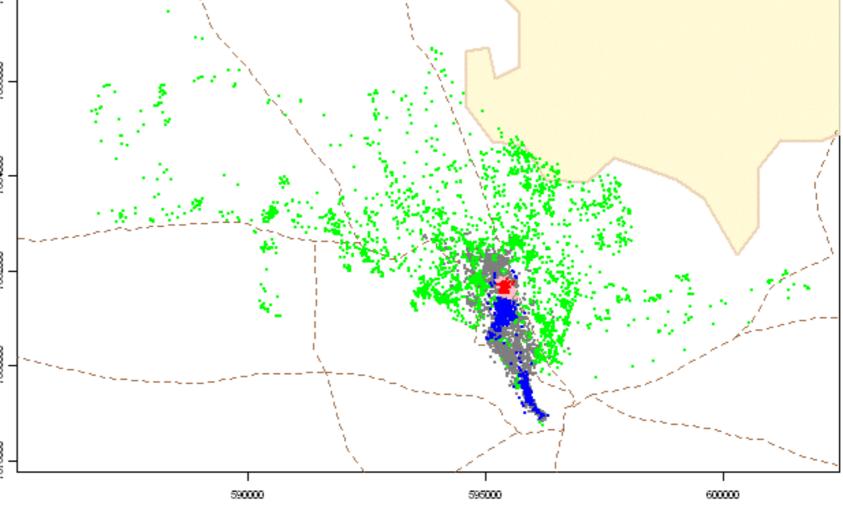
Hull Parent Points Colored by Time Use Regions

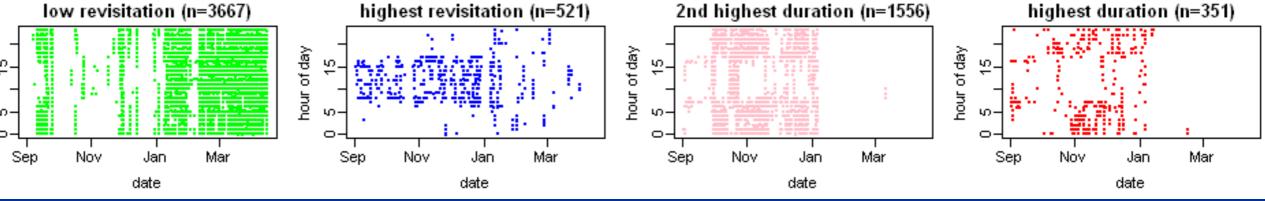


Hull Parent Points Colored by Time Use Regions



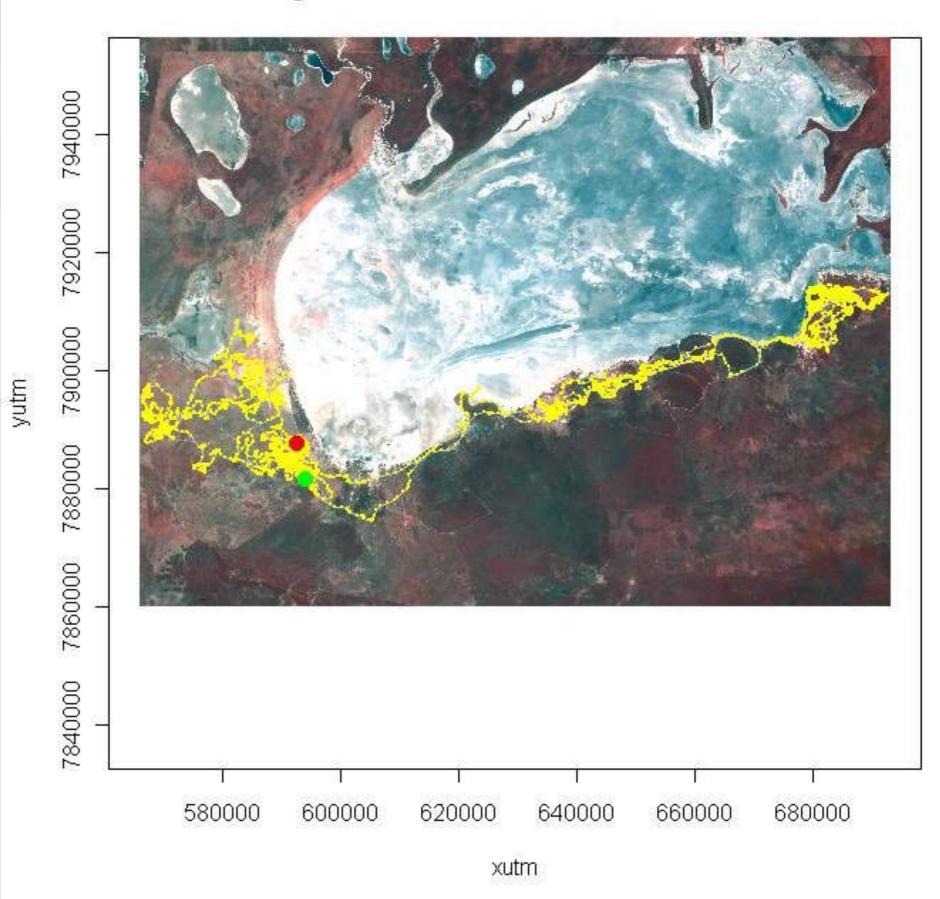
The scatterplots of the hull parent points date vs. hour of day provide clues about what these regions in time-use space represent behaviorally. The red and pink regions of time-use space appear to be 'core night time area' from Oct thru Jan. The blue hulls are visited frequently during mid-day but never for very long – a travel route to water? Green hulls were neither revisited nor used for very long - perhaps searching for greener pastures or run off by another male?



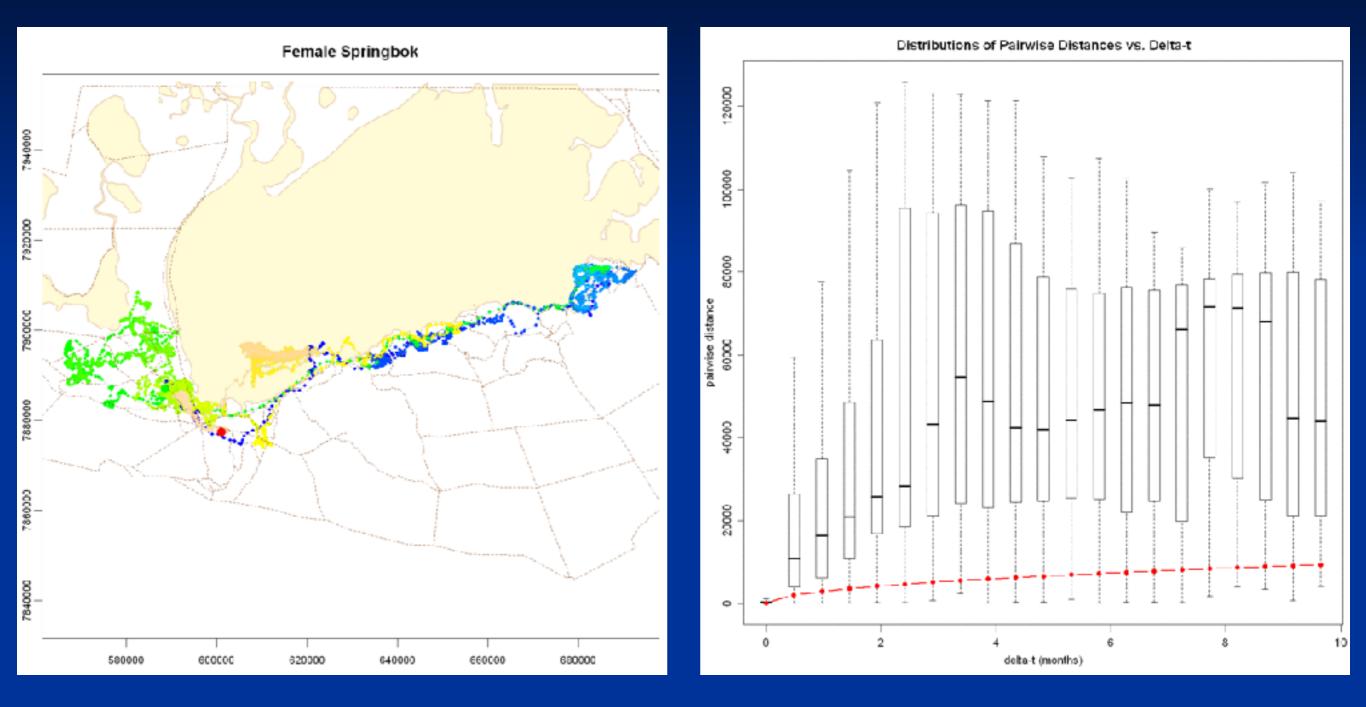


ag206.n10704.2009-09-02.2010-04-14



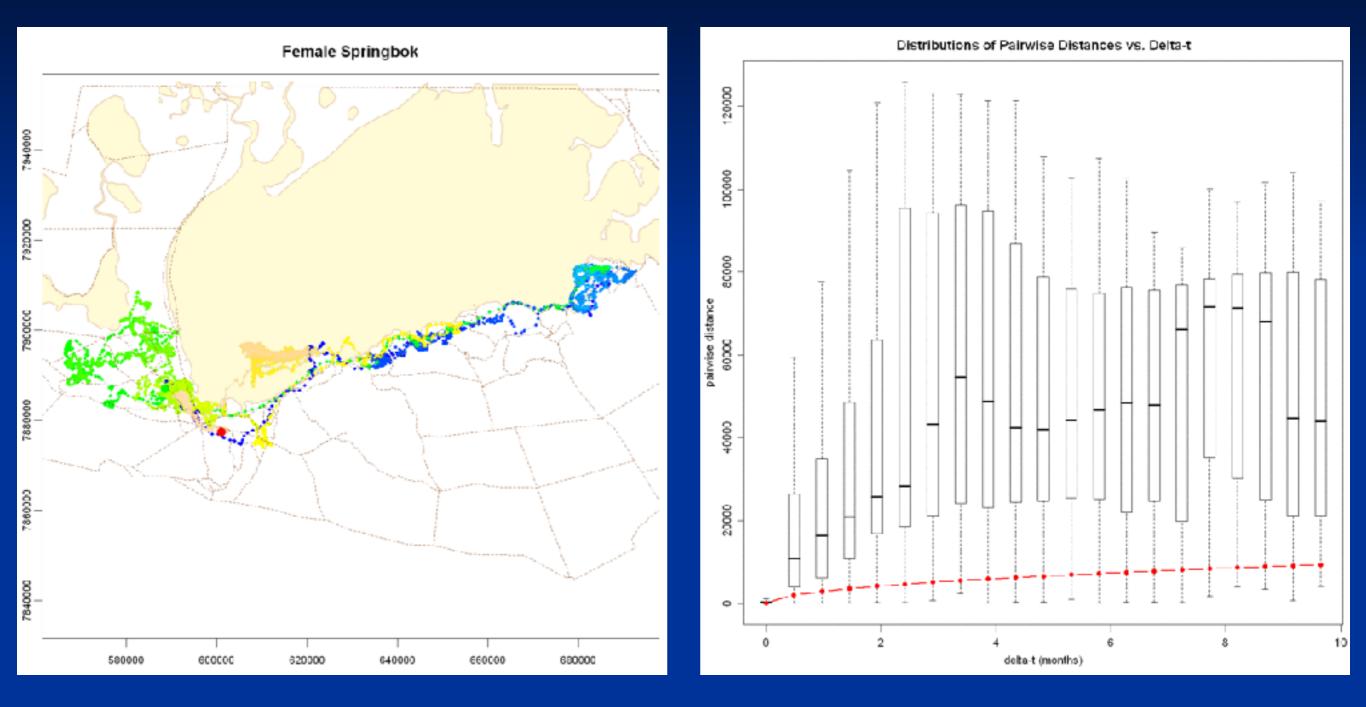


Female Springbok: Null model fit



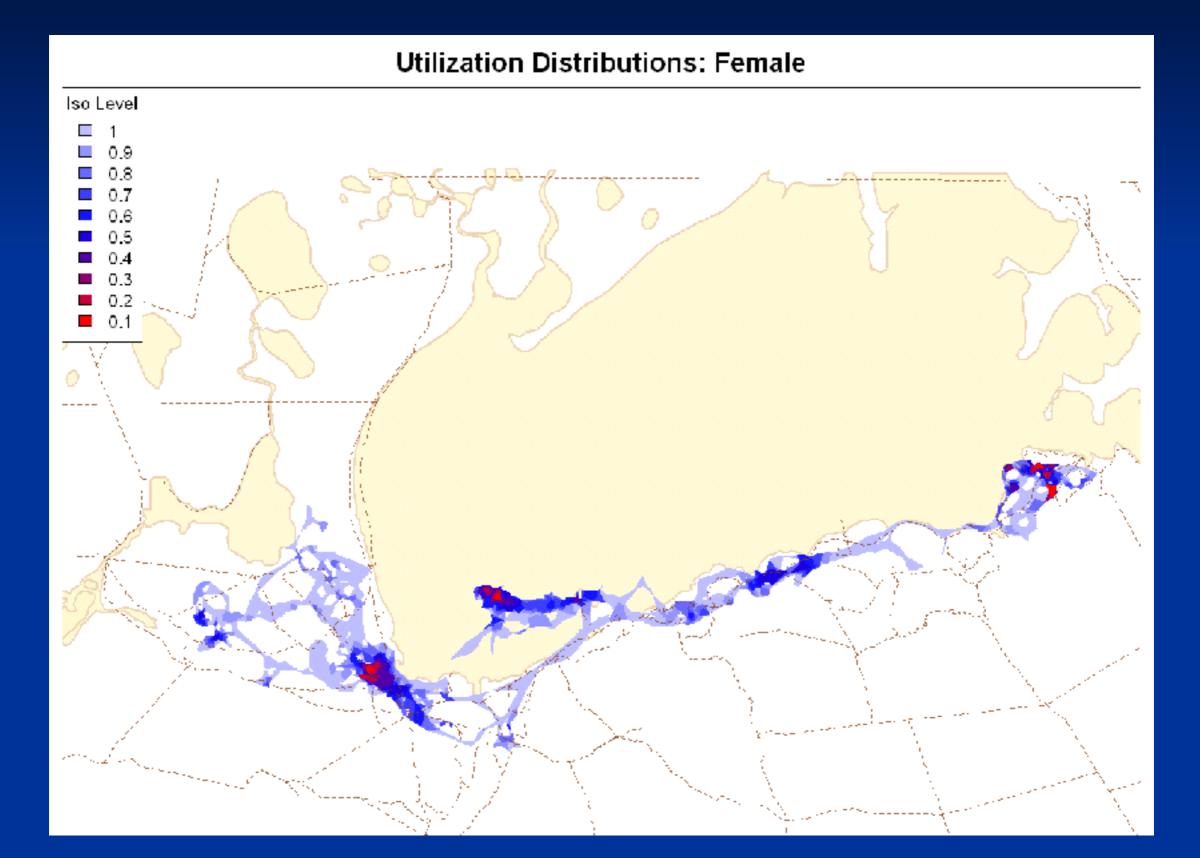
On left, maps of the female springbok in Etosha National Park, Namibia. The colors of the points reflect temporal continuity; tan lines are roads, and yellow polygons are salt pans. On the right, box plots show the distribution of the net displacement of all pairs of points sampled Δt apart (x-axis), with the predicted Gaussian diffusion distance from the random walk null model specified in Equation 2 overlaid in red.

Female Springbok: Null model fit

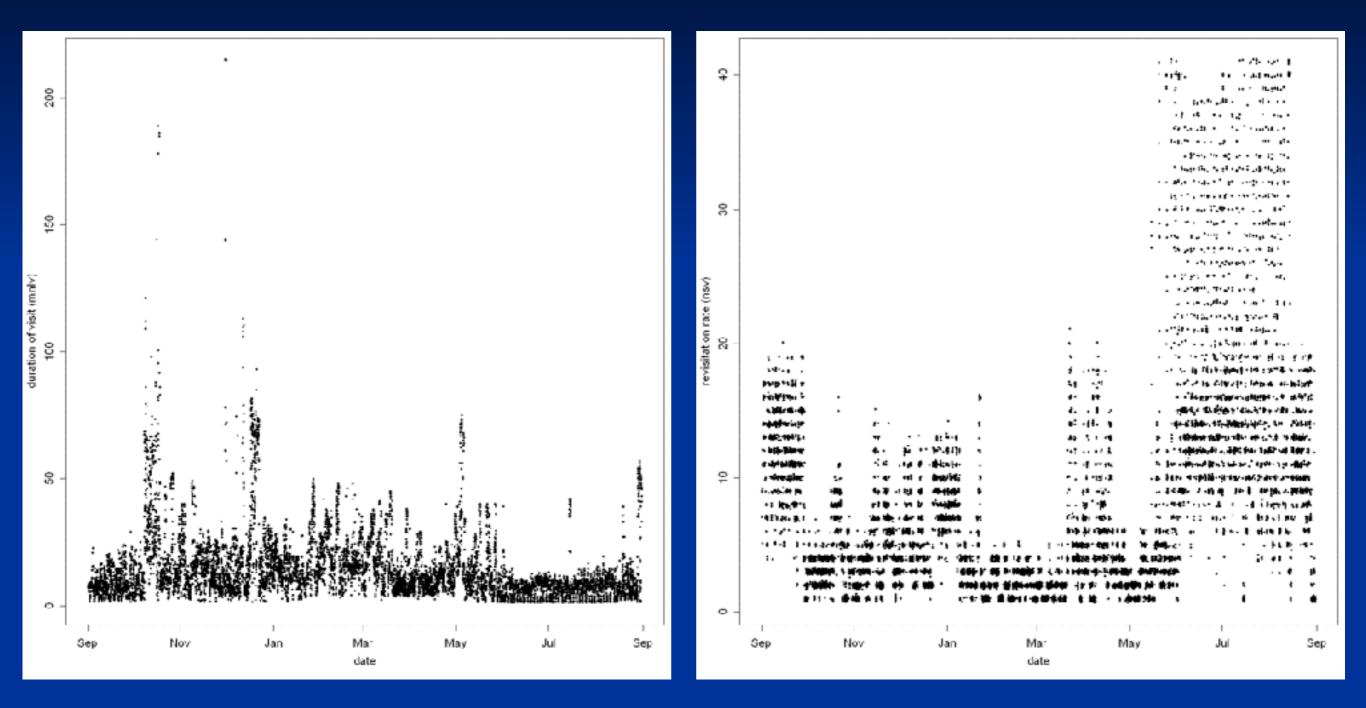


On left, maps of the female springbok in Etosha National Park, Namibia. The colors of the points reflect temporal continuity; tan lines are roads, and yellow polygons are salt pans. On the right, box plots show the distribution of the net displacement of all pairs of points sampled Δt apart (x-axis), with the predicted Gaussian diffusion distance from the random walk null model specified in Equation 2 overlaid in red.

Female Springbok: Density Isopleths

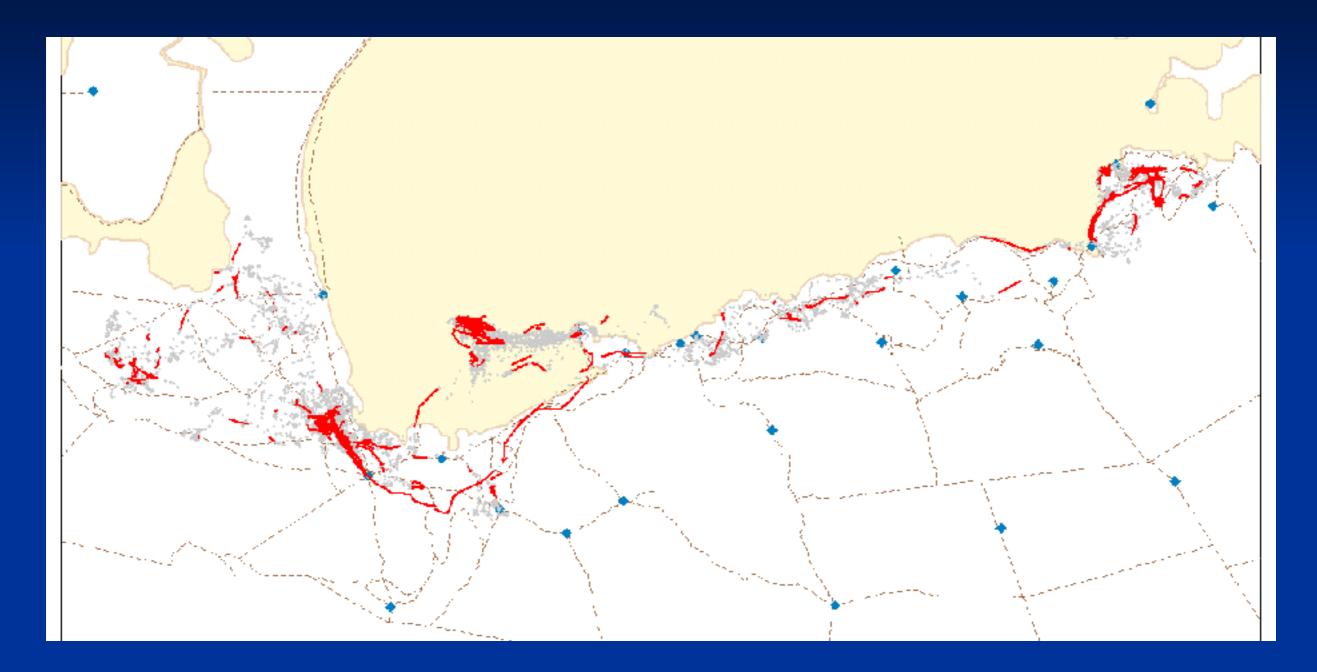


Female Springbok: Hull revisitation rate and duration over time



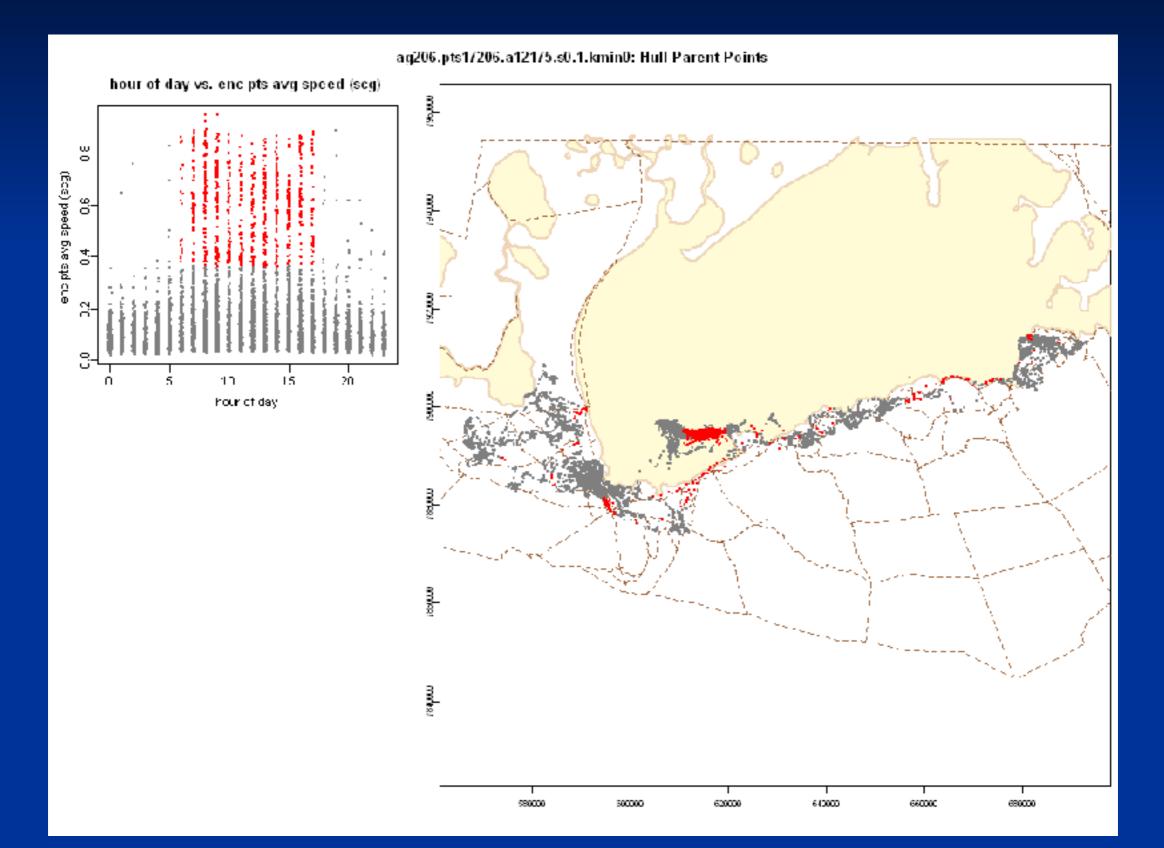
Plots of hull revisitation rate and visit duration over time for the female springbok. Separate visits defined by an inter-visit gap period of 1 day. Values have been 'jiggled' by 0.1 to better see point density.

Female Springbok: Directional Routes



Map of directional routes for the female springbok derived from connecting the parent points of temporally contiguous hulls with a perimeter area ratio value in the top 35%. Perimeter area ratios have been smoothed with a temporal averaging function and scanning window of one time step. Blue dots are known water points.

Female Springbok: Hour of day vs. Speed of enclosed pts



Conclusions

- Ancillary variables such as time can be incorporated into home range methods in such as a way as to extend the range in behavioral questions
- T-LoCoH shows promise in developing spatial distributions for movement phase and time use
- One-click solutions remain elusive
- Future Directions
 - Model diffusion distance from data
 - More sophisticated pattern detection
 - Hulls provide a platform for environmental variables, interactions between individuals
 - More assistants for parameter selection
 - Ecological applications